



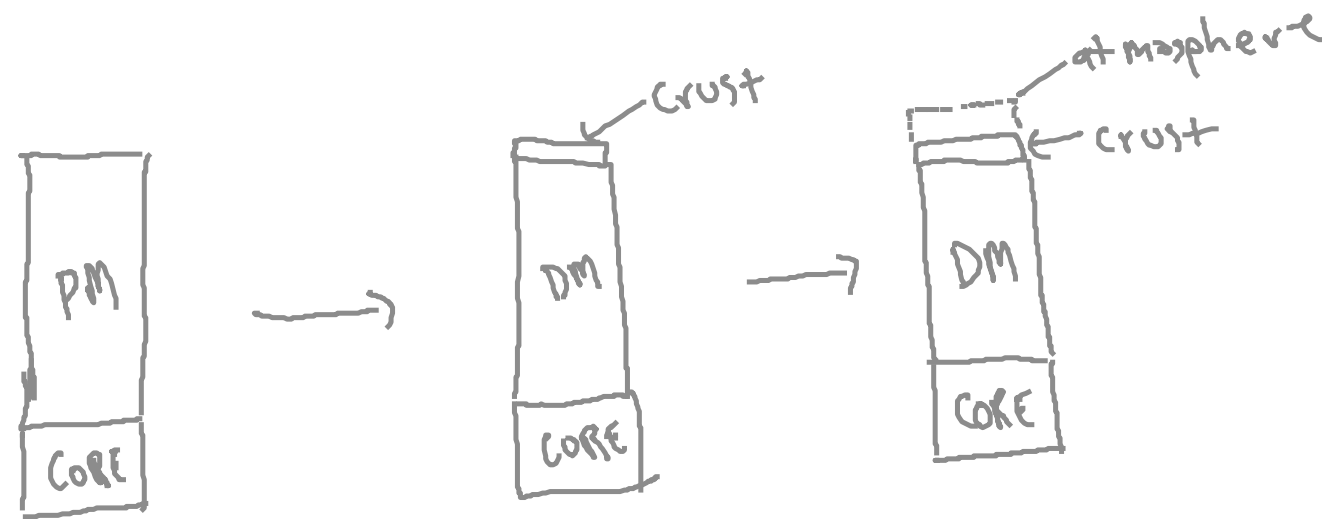
Lecture 14-20: the Atmosphere and Oceans

1. The atmosphere
2. Planetary habitability
 - A. Mysterious water
3. The temperature of the Earth
4. A faint young Sun
 - A. The necessity of a negative feedback
5. The (long-term) Carbon cycle
6. Changing climate
7. Stable isotopes
8. Cenozoic Climate
9. Pleistocene Climate

We acknowledge and respect the lək̓ʷəŋən peoples on whose traditional territory the university stands and the Songhees, Esquimalt and W̱SÁNEĆ peoples whose historical relationships with the land continue to this day.



The atmosphere



What is the atmosphere (physically)?



What is the atmosphere chemical composition?

78% Nitrogen

21% Oxygen

0.9% Argon

0.04% CO_2 (400ppm)

~1% water vapor at sea level

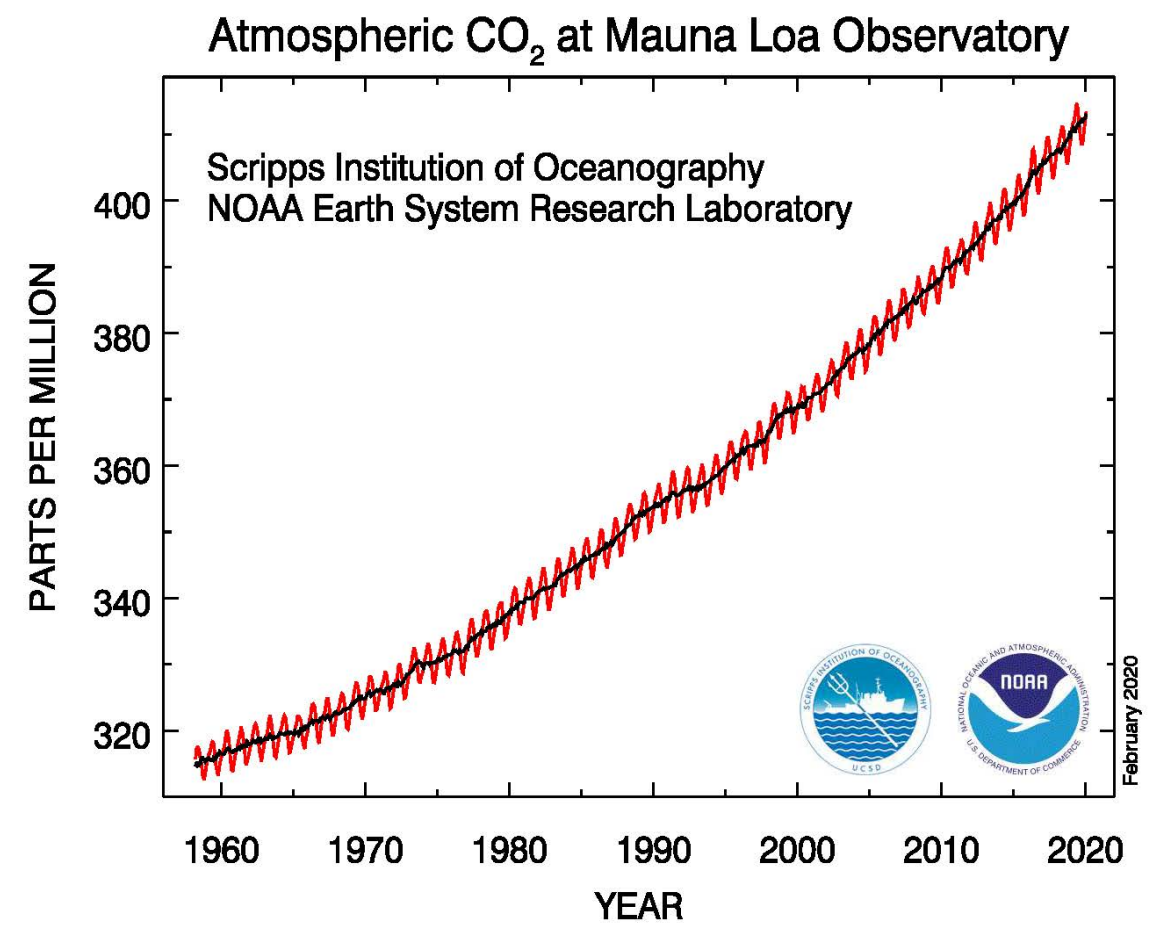
↳ temp dependant

GOE:

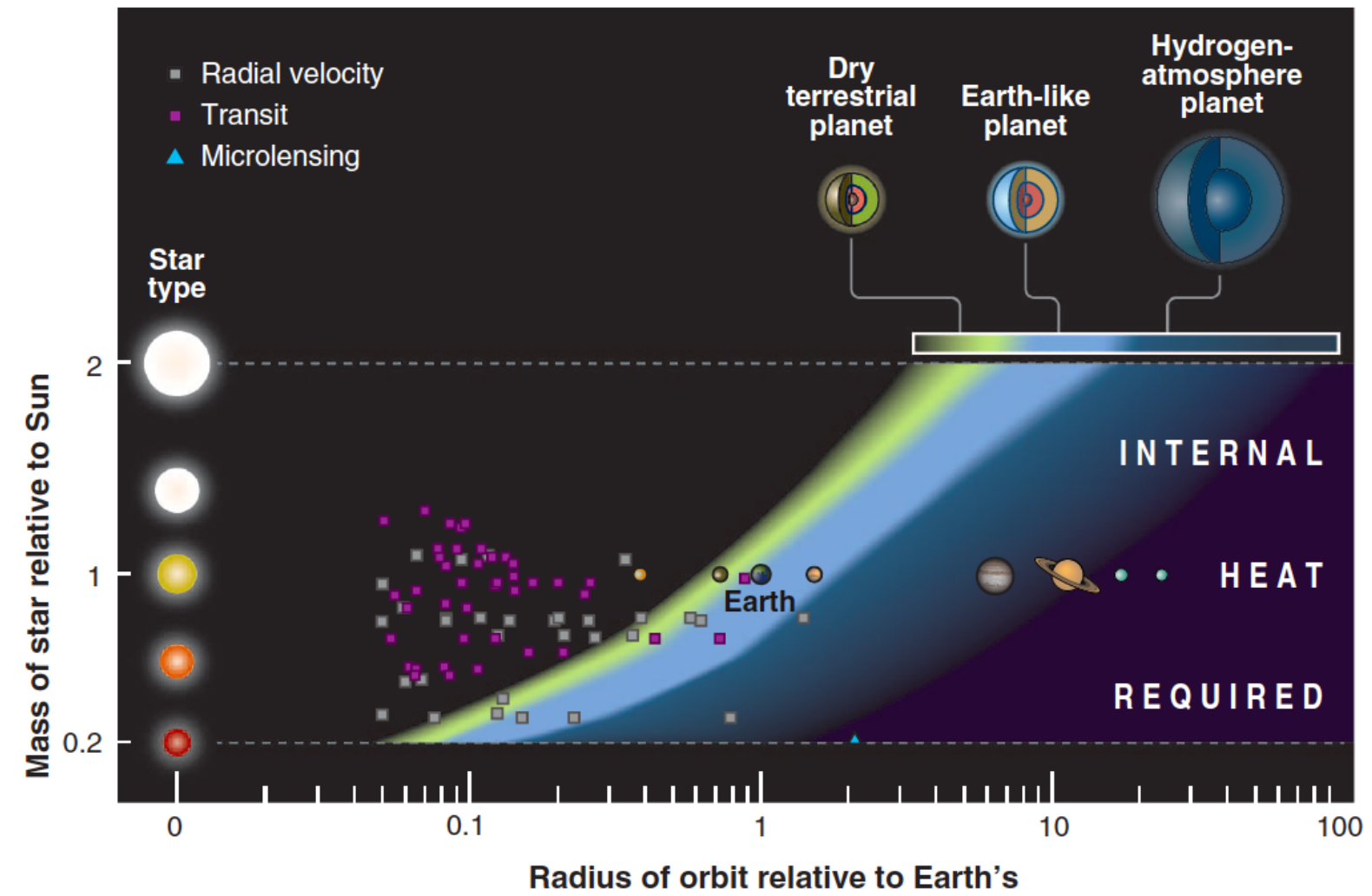
Great Oxygenation
Event ~ 2.5 Ga

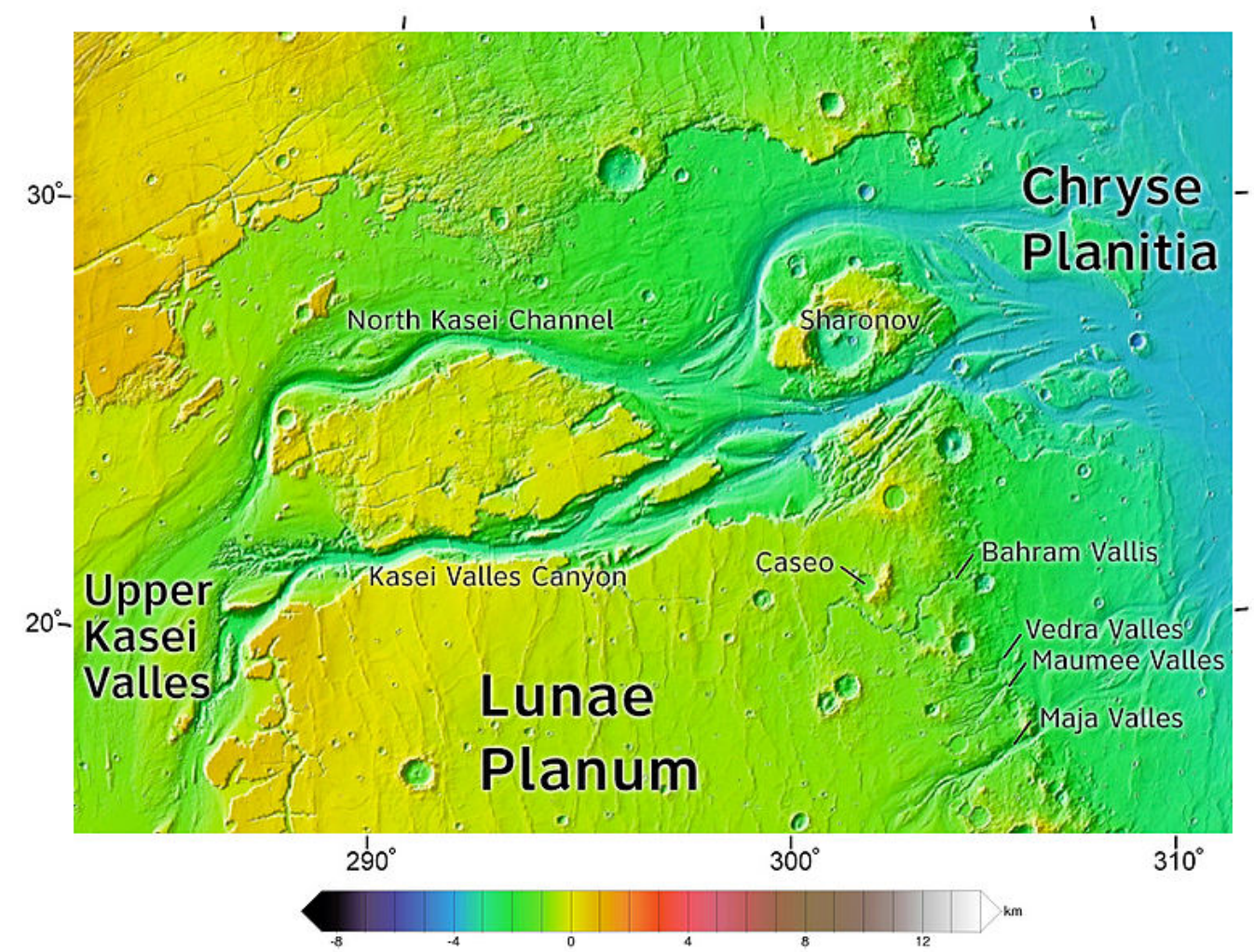
70.01%





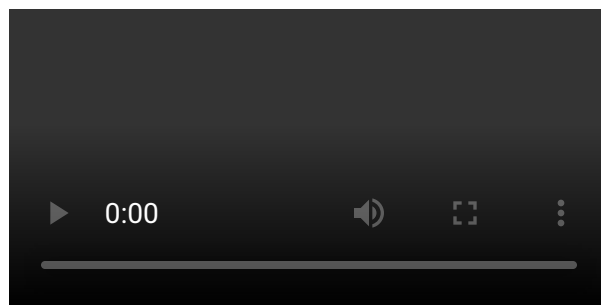






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In [3]: Video("videos/planet_formation.mp4")
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Out[3]:



Where does our water come from?

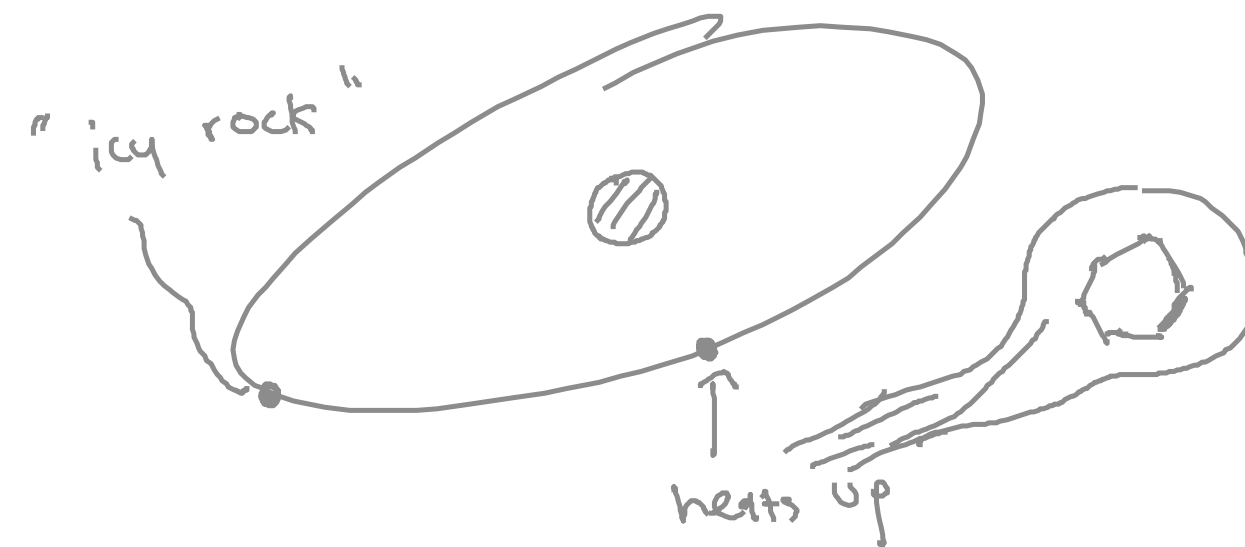
① Started with it

└ during accretion major heating which releases
volatiles

② Late heavy bombardment
└ collected "late"

— many impactors from 4.5 to 4.0
Ga

③ Captured from comets



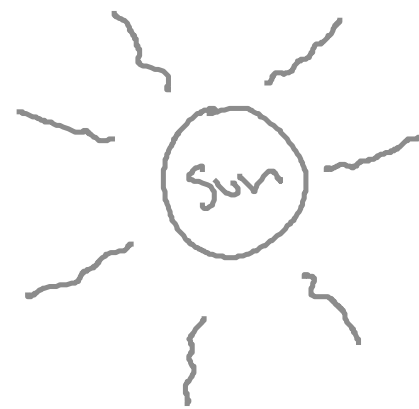


What sets the temperature of the Earth?

of any planet?

- incoming radiation
- interior heating (radioactive decay)

$$3.87 \times 10^{26} \text{ W} = Q$$

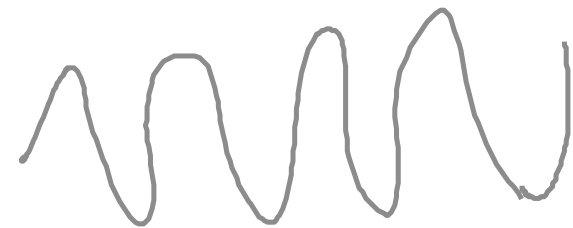


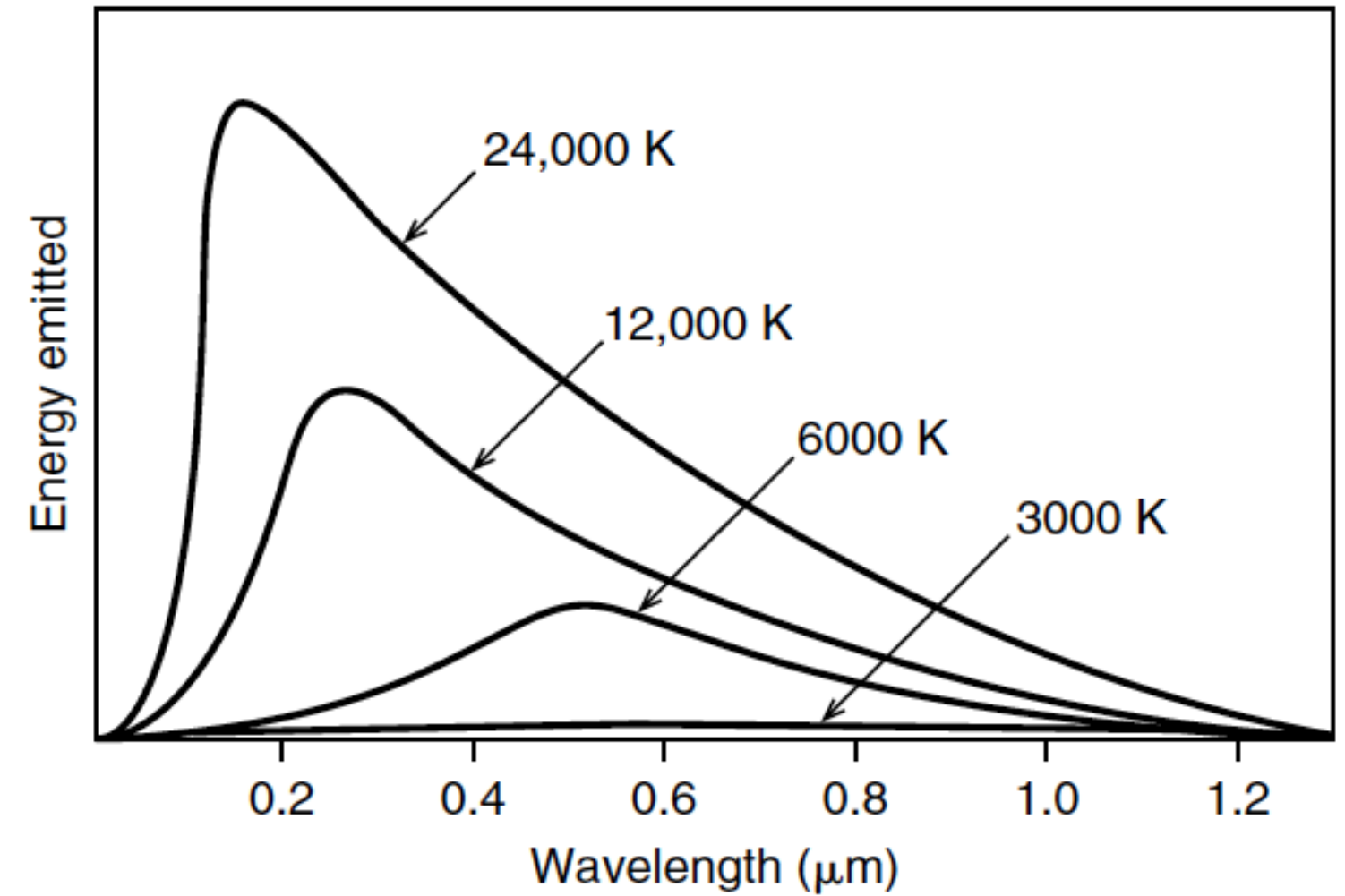
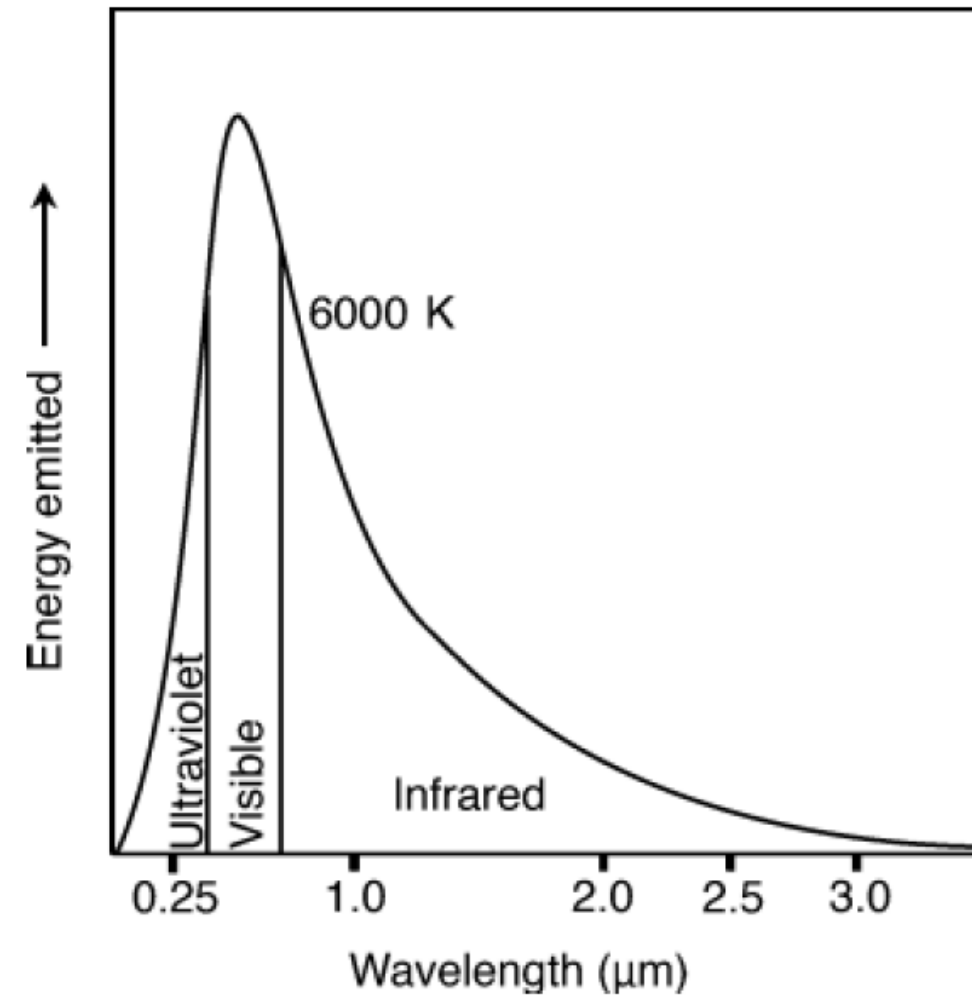
how much energy does Earth see?
— function of radius

$$\frac{Q}{4\pi r^2} = S_0 \quad \leftarrow \text{Solar constant}$$

$$S_0 = 1367 \text{ W m}^{-2} \text{ for Earth}$$

Spectrum of frequencies

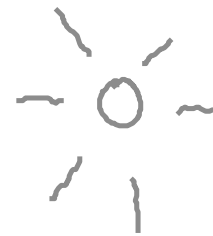




Calculating the 'emission' temperature of Earth

- incoming radiation
- interior heat (radio active decay)
- other heat from accretion

$$Q = 3.87 \times 10^{26} \text{ W}$$



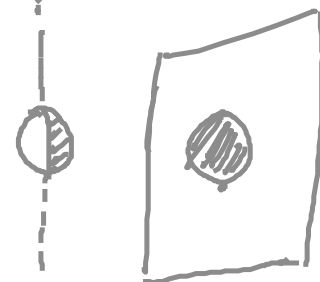
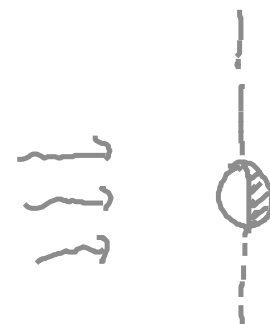
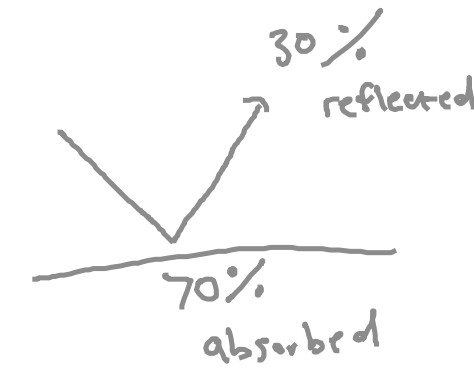
Solar constant = S_0

$$\frac{Q}{4\pi r^2} = S_0$$

r = distance from sun

$$S_0 = 1367 \text{ W m}^{-2}$$

for Earth today



πr^2
Earth radius

incoming radiation on the surface
 $S_0 \cdot \pi r^2 (1 - \alpha)$
 α = albedo

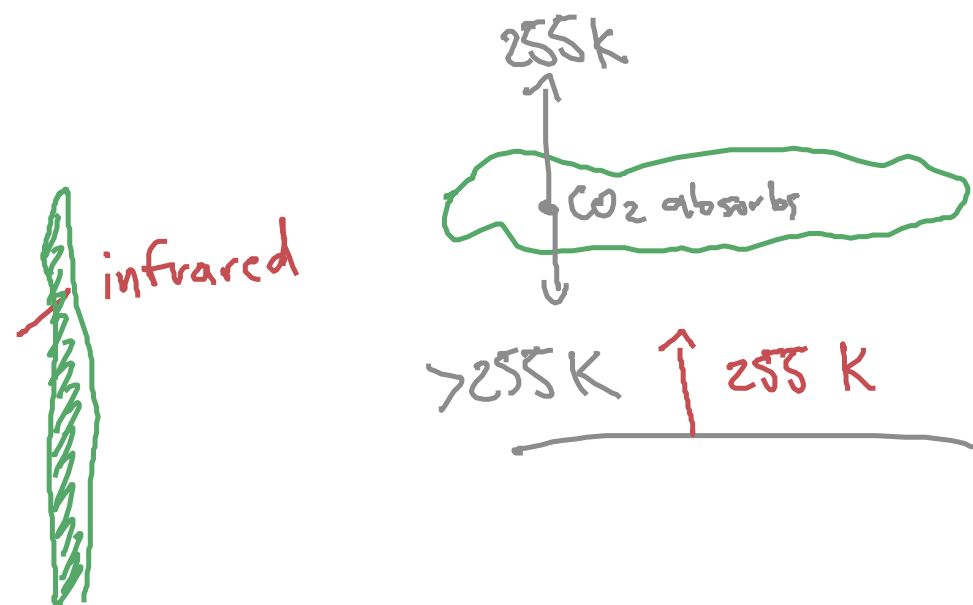
outgoing radiation
Stefan-Boltzmann law
 $\sigma = 5.67 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}$

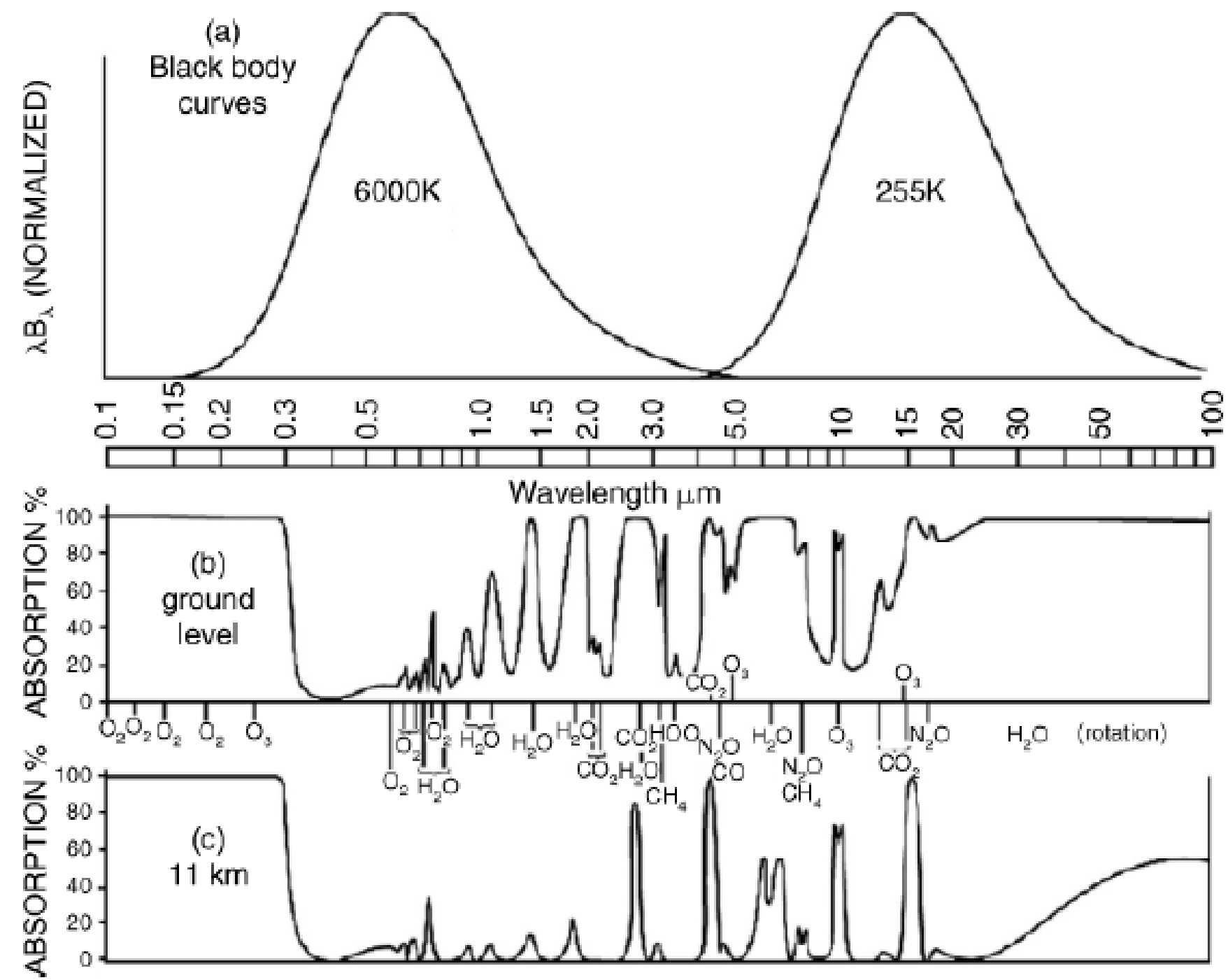
$$T_E = 255 \text{ K } (-18^\circ \text{C})$$

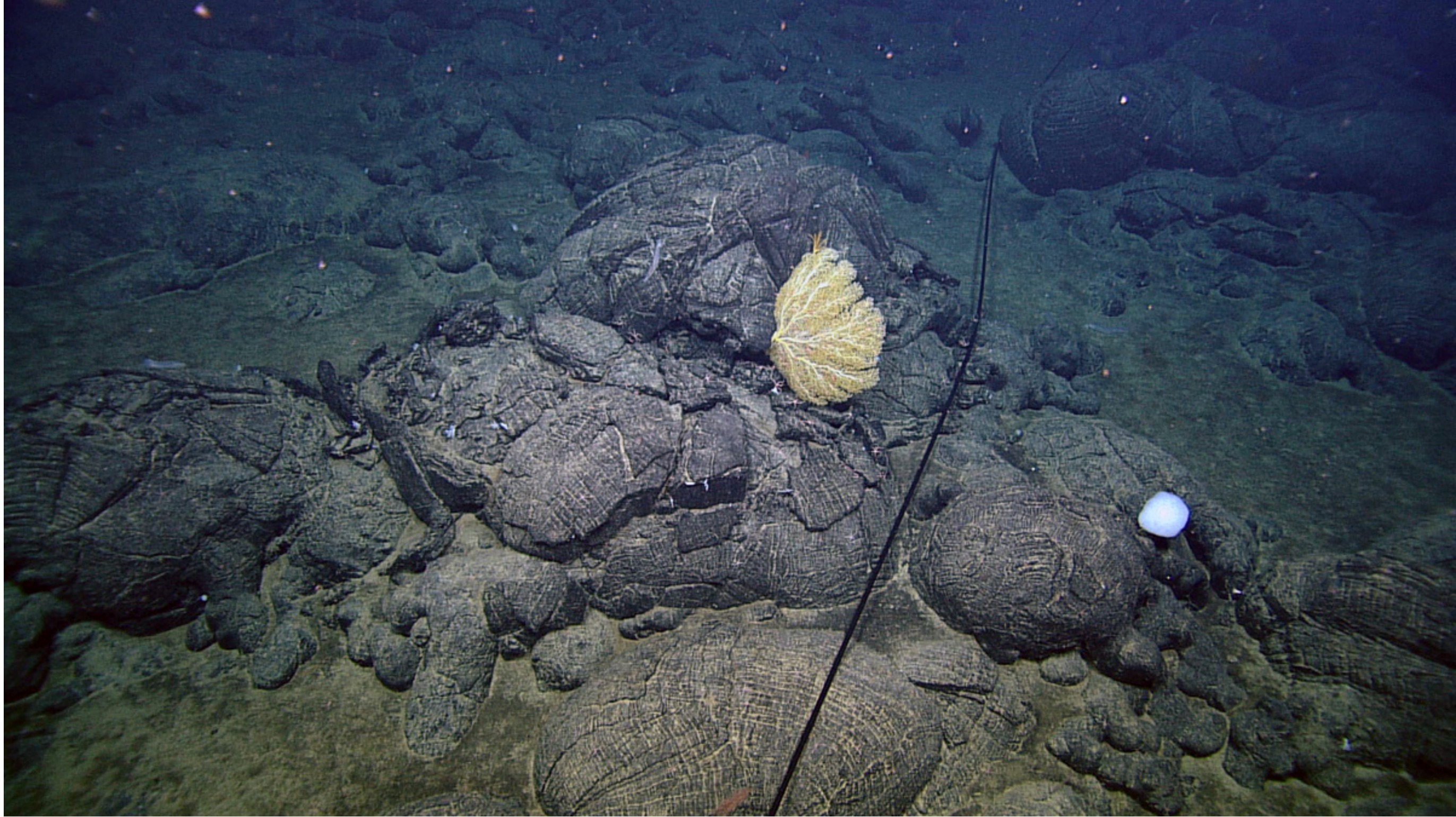
$$T_S = 288 \text{ K } (15^\circ \text{C})$$

• Difference is the "greenhouse" effect

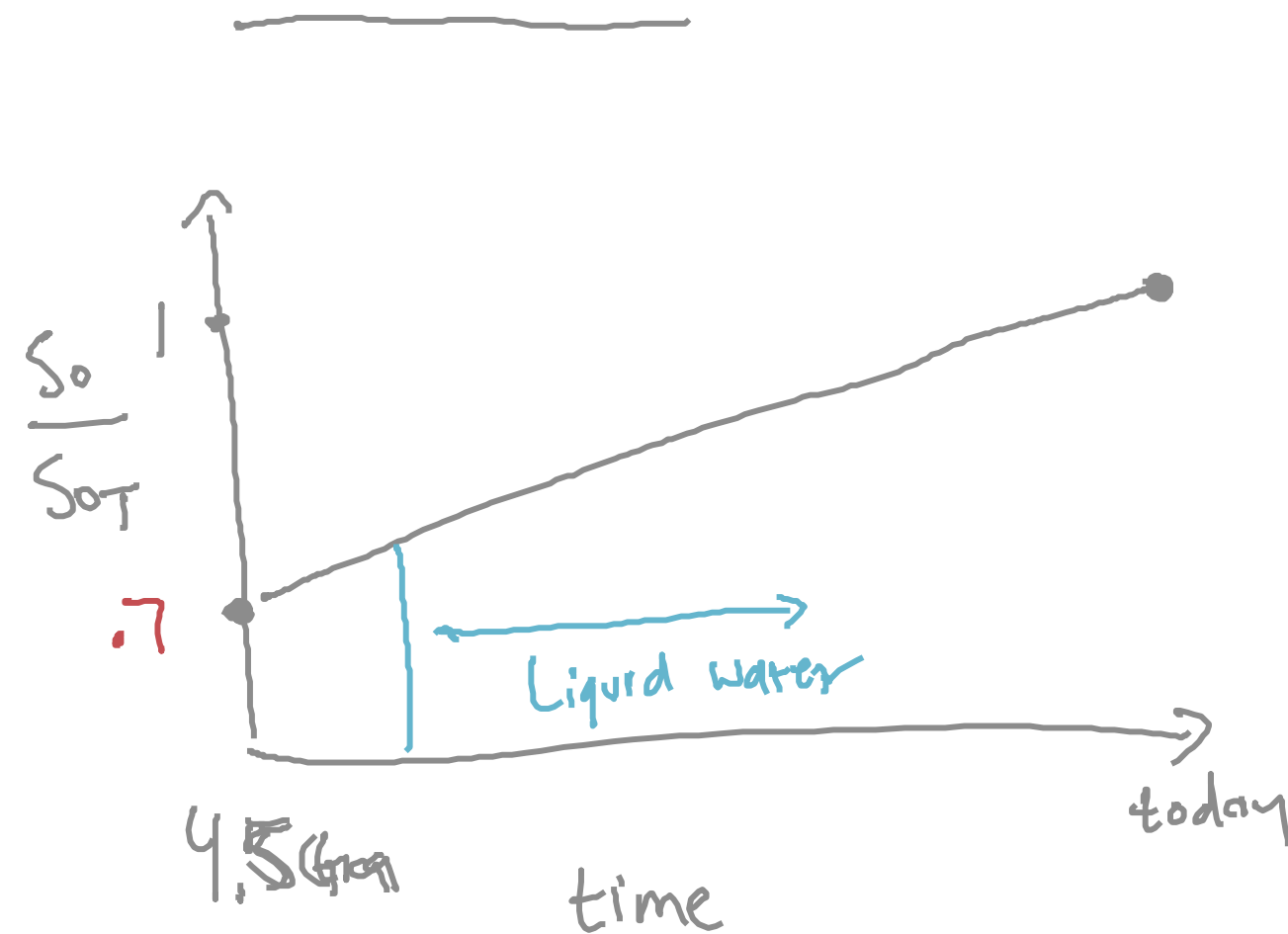








A faint young Sun and possible solutions



Solar constant increased by 30 %

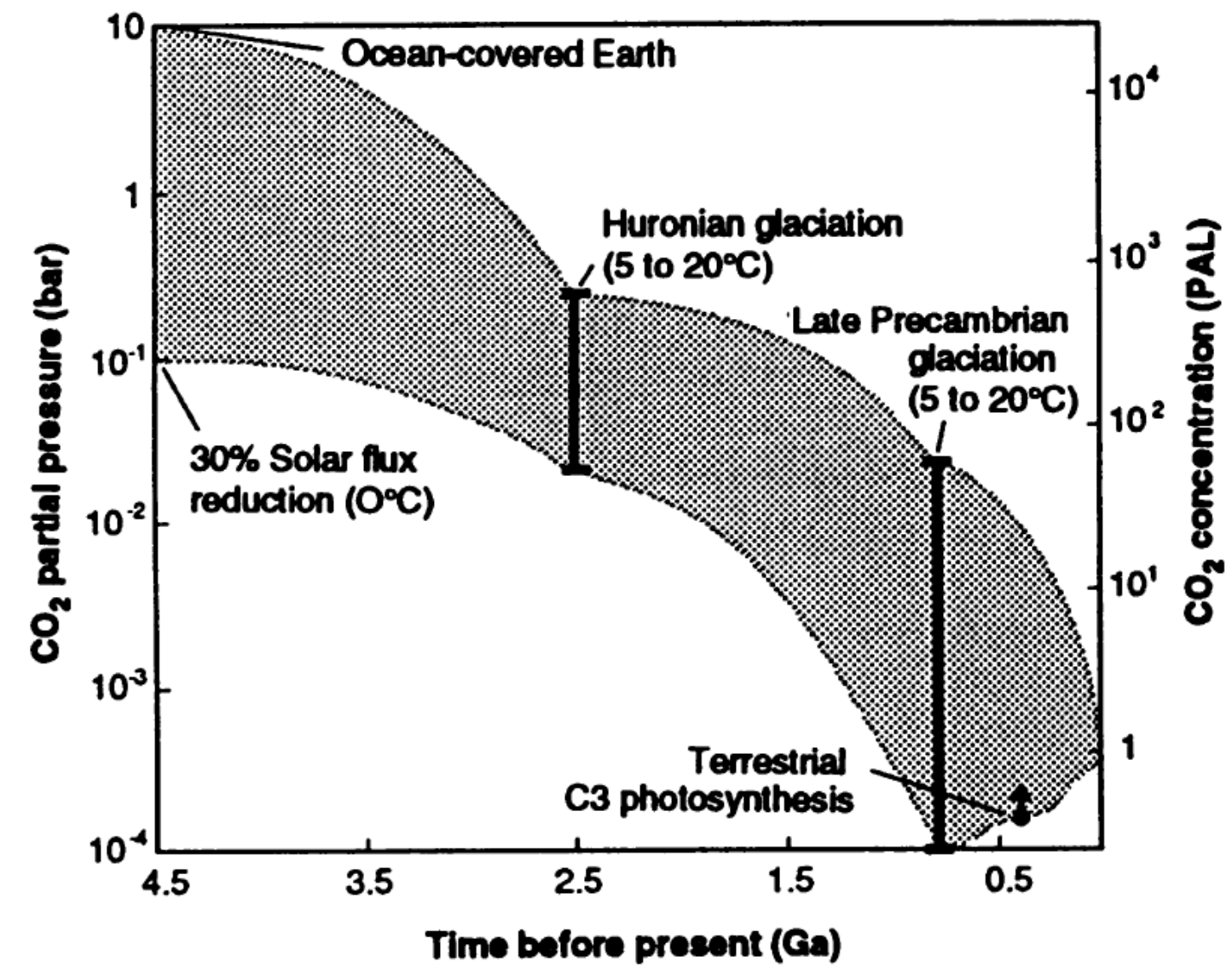
↳ we need 12 W/m^2

- Larger G H G effect

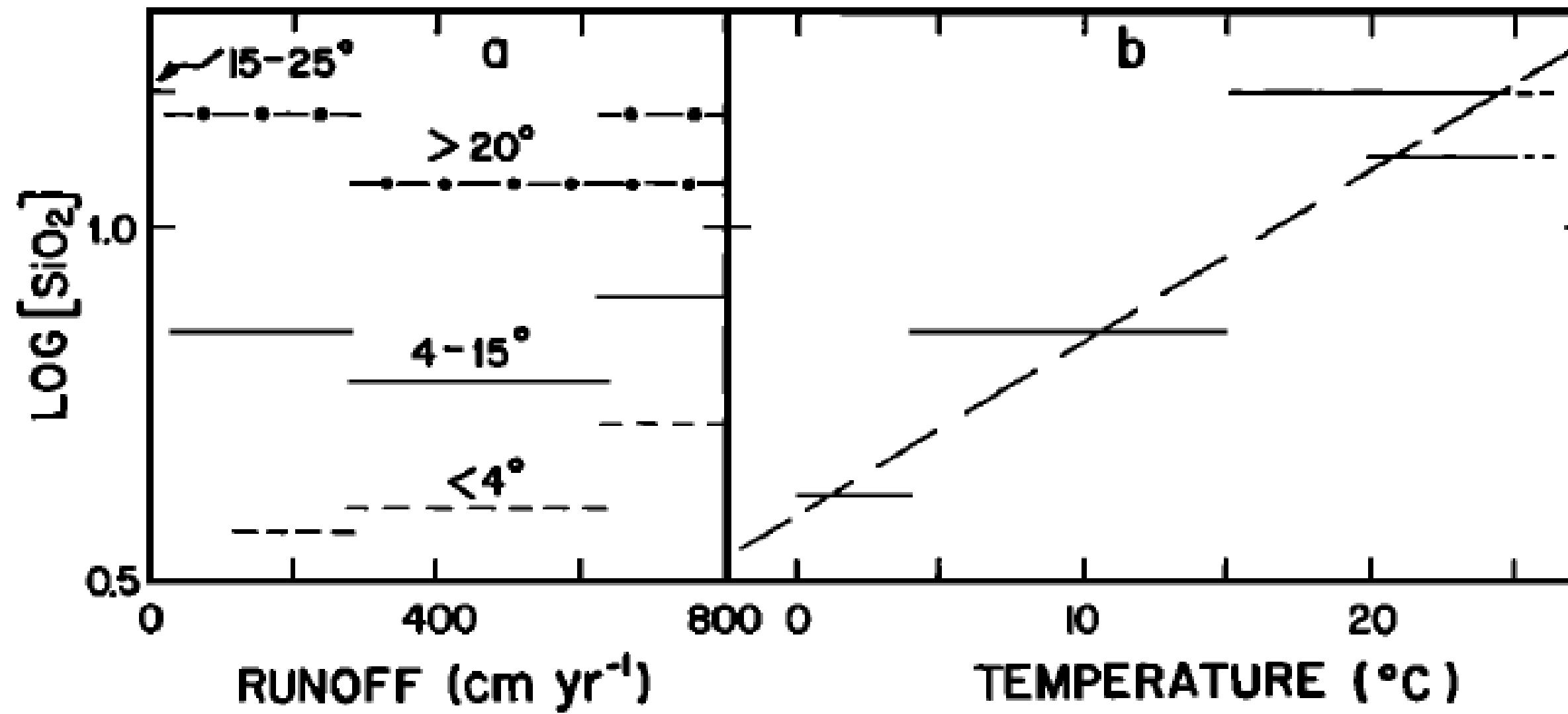
- radioactive decay

Today: 0.06 W/m^2

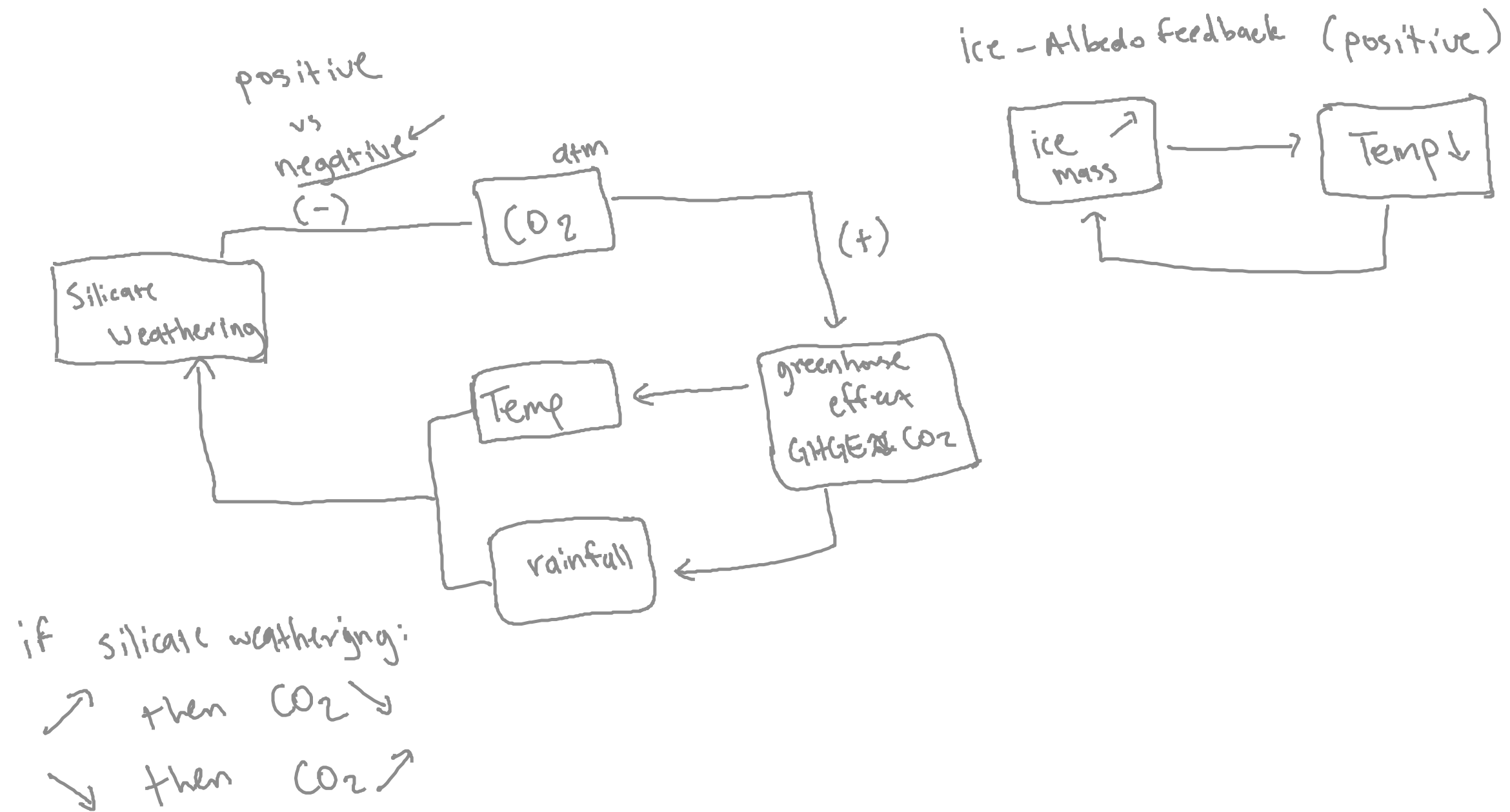
4.5 Ga: 0.3 W/m^2



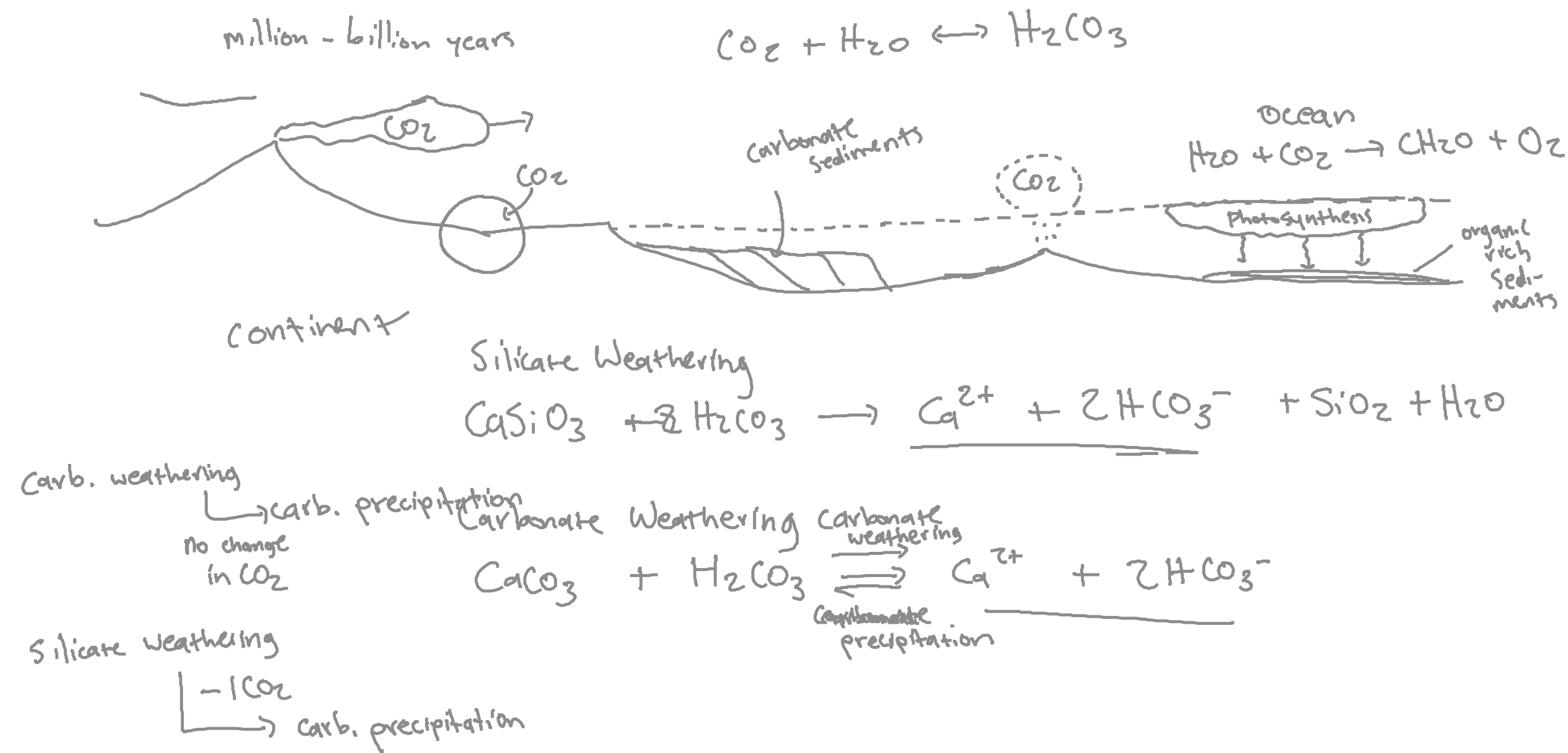
The silicate weathering feedback



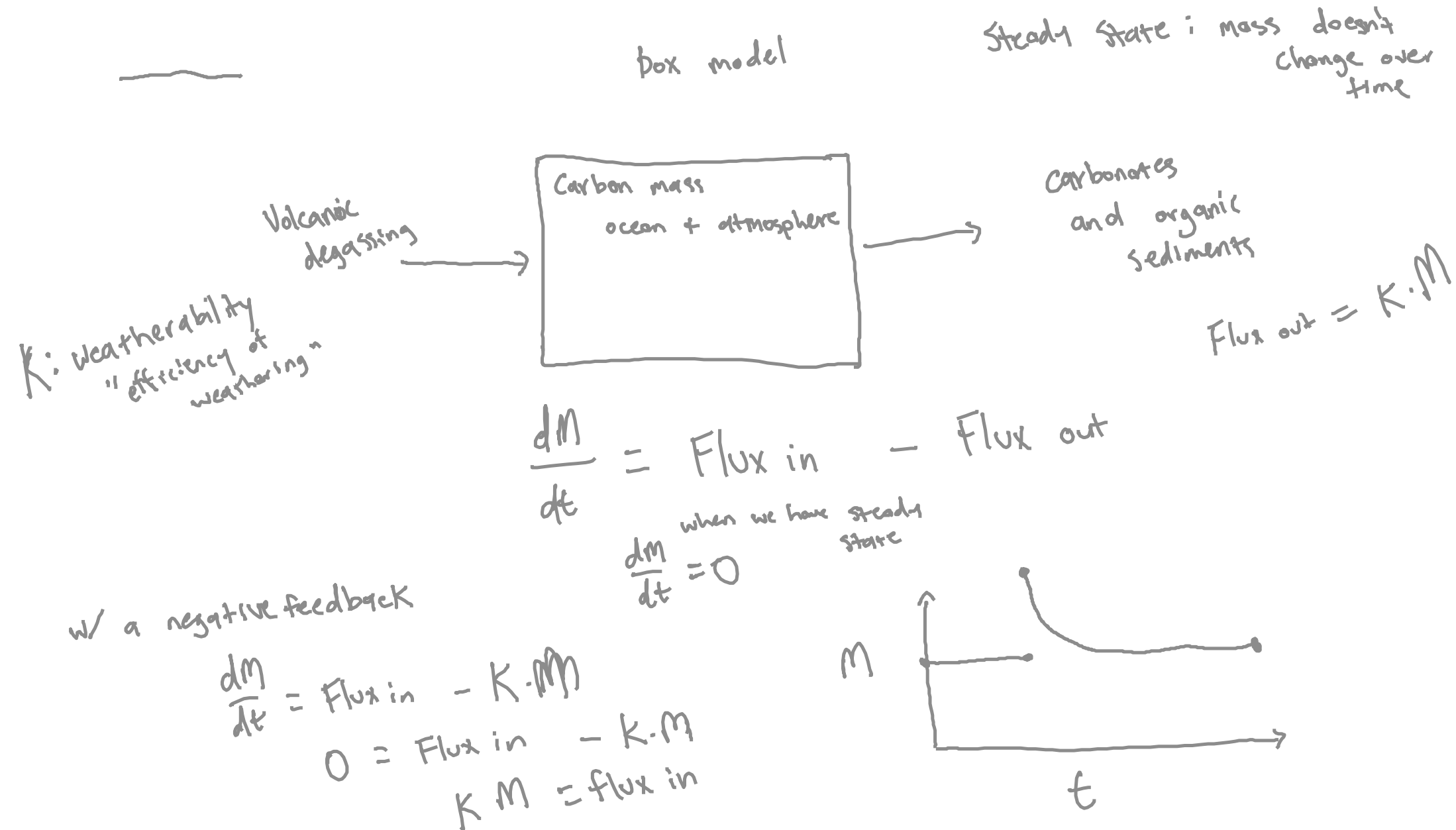
Feedbacks



The long term carbon cycle (conceptual)



The long term carbon cycle (a model)

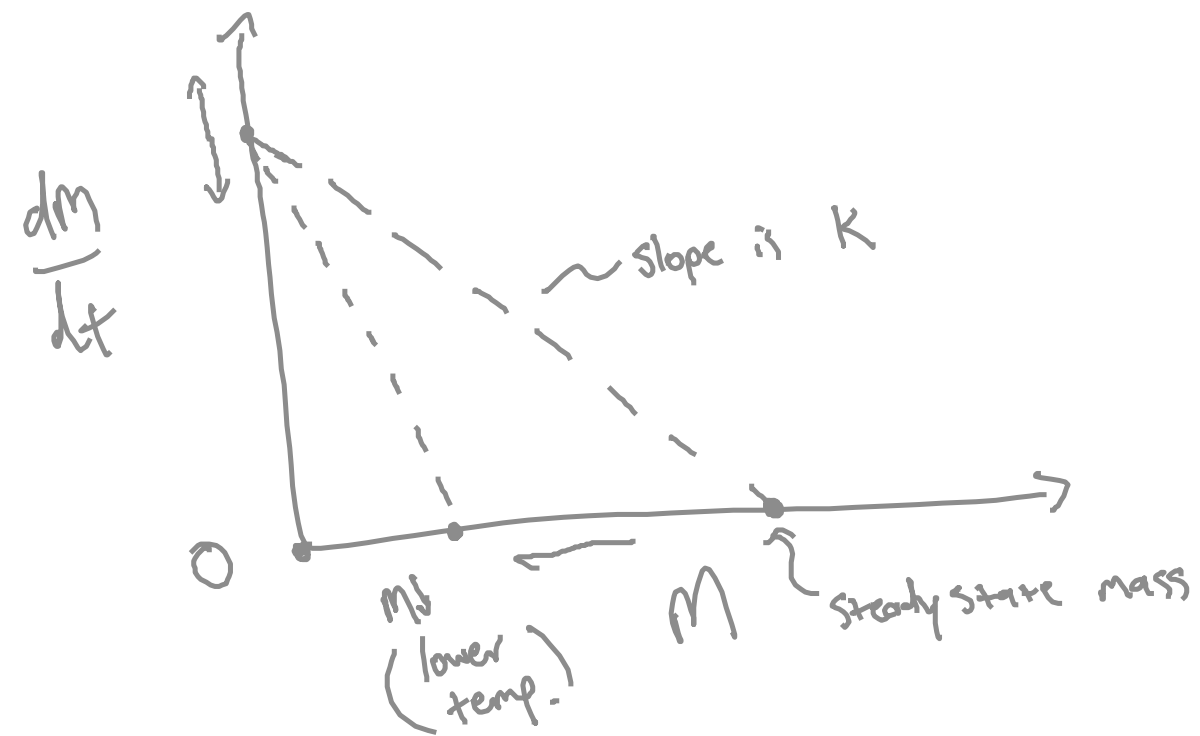


How does climate change?

- change steady state M

$$\frac{dM}{dt} = F_{in} - KM$$

$$(Y = b - mx)$$

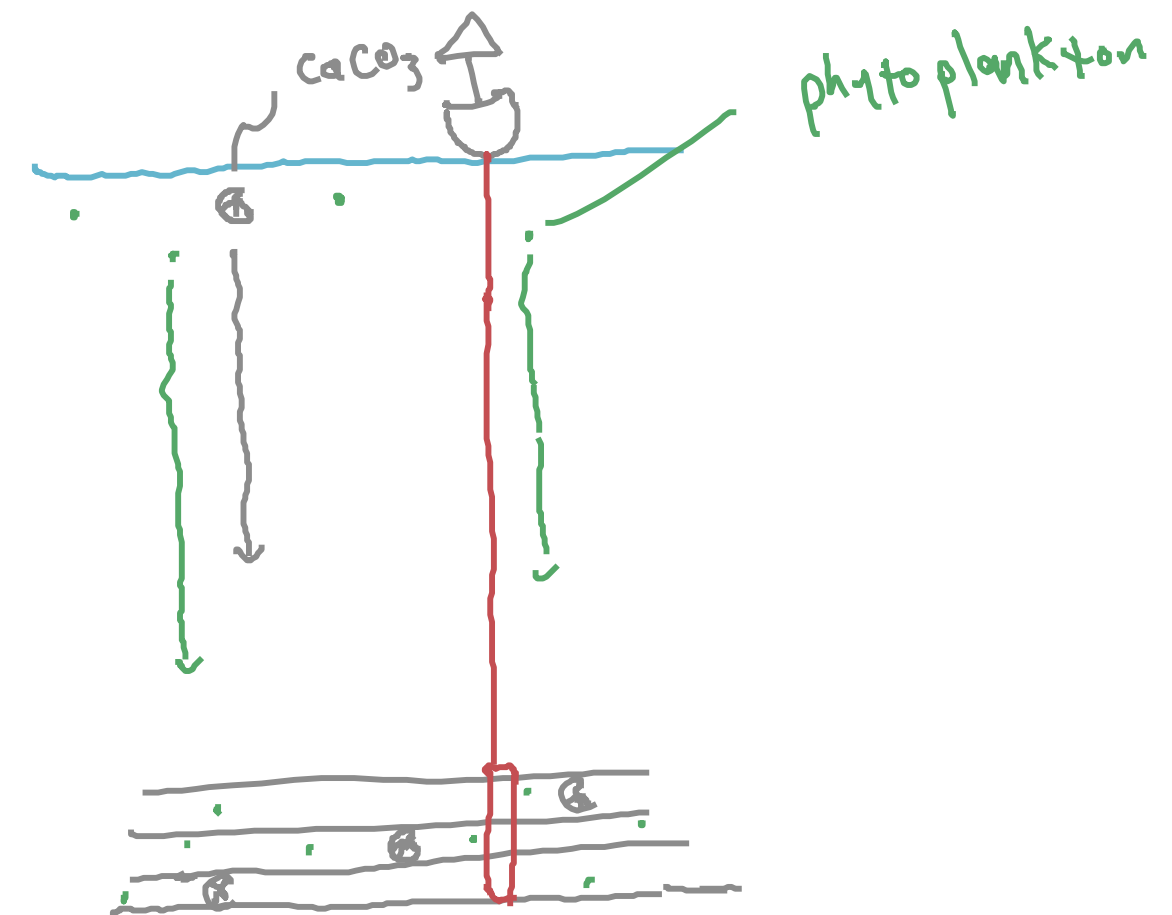


How do we measure past climate change?

Sediment hold records of the past
Surface conditions

- we look at "proxies"
 - ↳ paleo sea level elevations
 - ↳ organic molecules
 - ↳ Stable isotopic composition of sediments

- Direct measurements
 - ice cores have trapped gas bubbles that hold old atmosphere



Stable isotopes: notation

mass number for an isotope

$$R_c^{13} = \frac{C^{13}}{C^{12}}$$

always the lowest mass for a given element

oxygen comes as 16, 17, 18 :

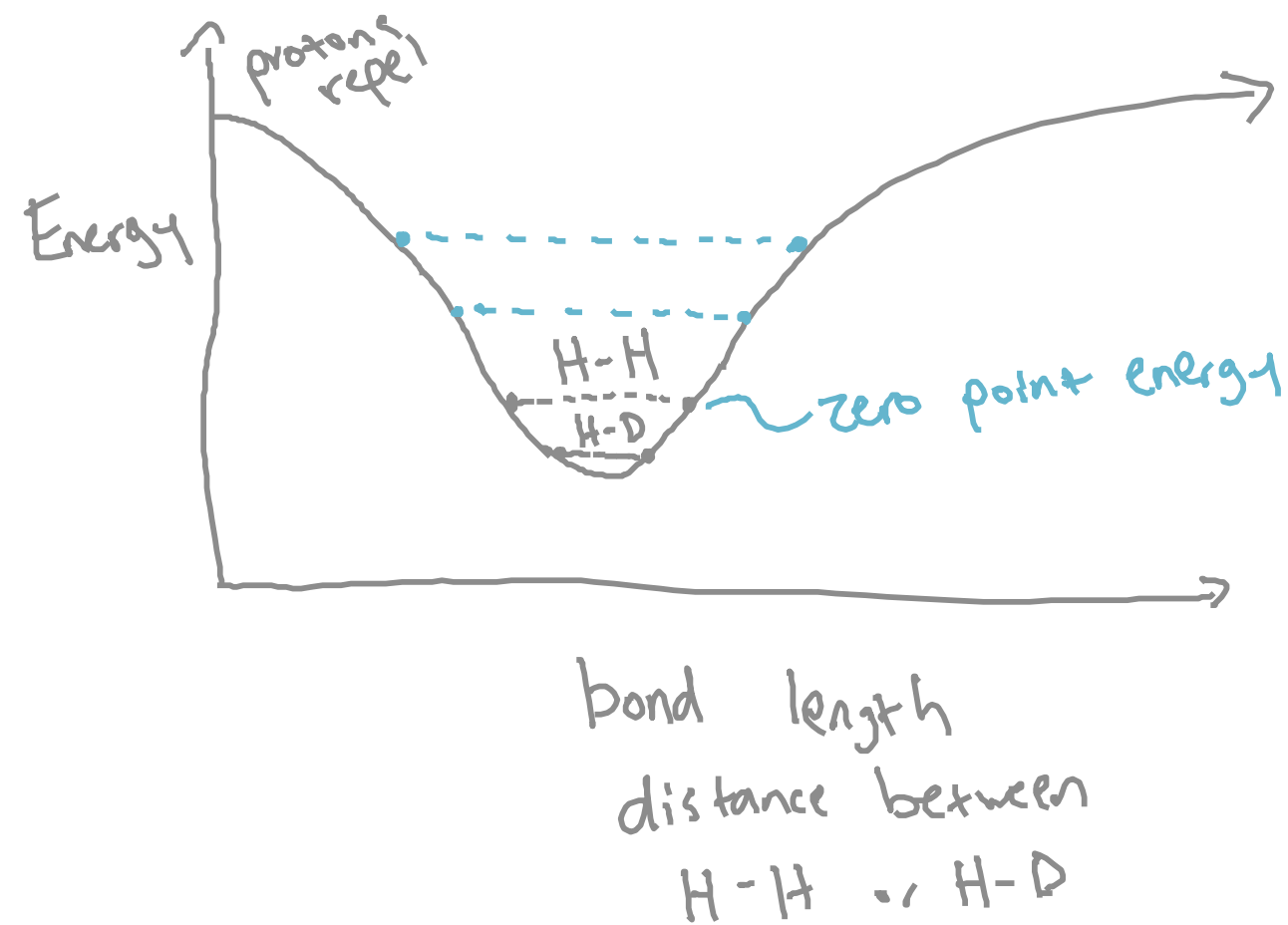
$$R_o^{17} = \frac{[O^{17}]}{[O^{16}]}$$
$$\frac{R_{CO_2}^{13}}{R_{HCO_3^-}^{13}} = \alpha = \text{fractionation factor}$$

$$\delta = \left(\frac{(R_{CO_2}^{13})_{\text{sample}}}{(R_{CO_2}^{13})_{\text{standard}}} - 1 \right) \times 10^3$$

$$\delta^{13}C_{\text{PDB}} = +4.1$$



Stable isotopes: equilibrium and zero point energy



$$F = -Kx$$

$$\text{freq} = \nu = \frac{1}{2\pi} \sqrt{\frac{K}{\mu}} \quad \leftarrow \text{reduced mass}$$

high freq = high energy

$$\mu = \frac{m_1 \cdot m_2}{m_1 + m_2}$$

$$\mu_{\text{H}_1-\text{H}_1} = \frac{1 \cdot 1}{2} = 0.5$$

$$\mu_{\text{D}-\text{H}_1} = \frac{1 \cdot 2}{3} = \frac{2}{3} \approx 0.67$$

Stable isotopes: equilibrium example



K is equilibrium constant

$$K = \frac{[\text{HDO}][\text{H}_2\text{S}]}{[\text{HDS}][\text{H}_2\text{O}]} \neq 1 = \alpha \quad \text{"fractionation factor"}$$

* $\Delta G = \Delta G_0 + RT \ln Q$

$\Delta G_0 = -RT \ln K$ (at equilibrium)

$$\Delta E_2 - \Delta E_1 \approx -RT \ln K$$

$$-1(\Delta E_2 - \Delta E_1) \approx -RT \ln K$$

$$\frac{\Delta E_1 - \Delta E_2}{RT} \approx \ln K$$

General Rule: heavy isotopes prefer to go into the chemical compound that is more strongly bonded

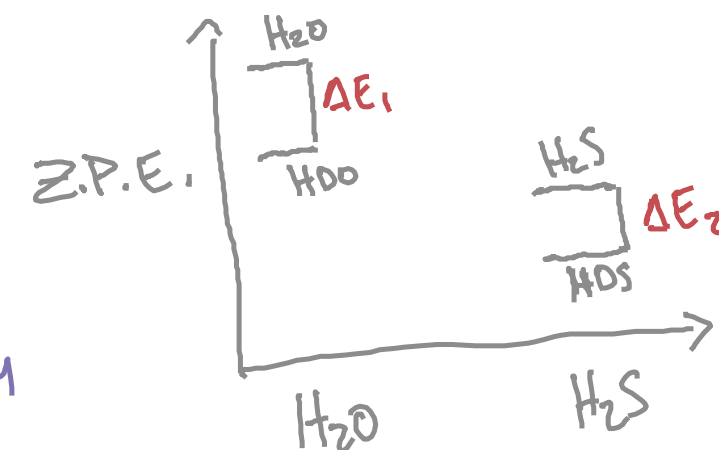
to get to products ΔG_0 reactants

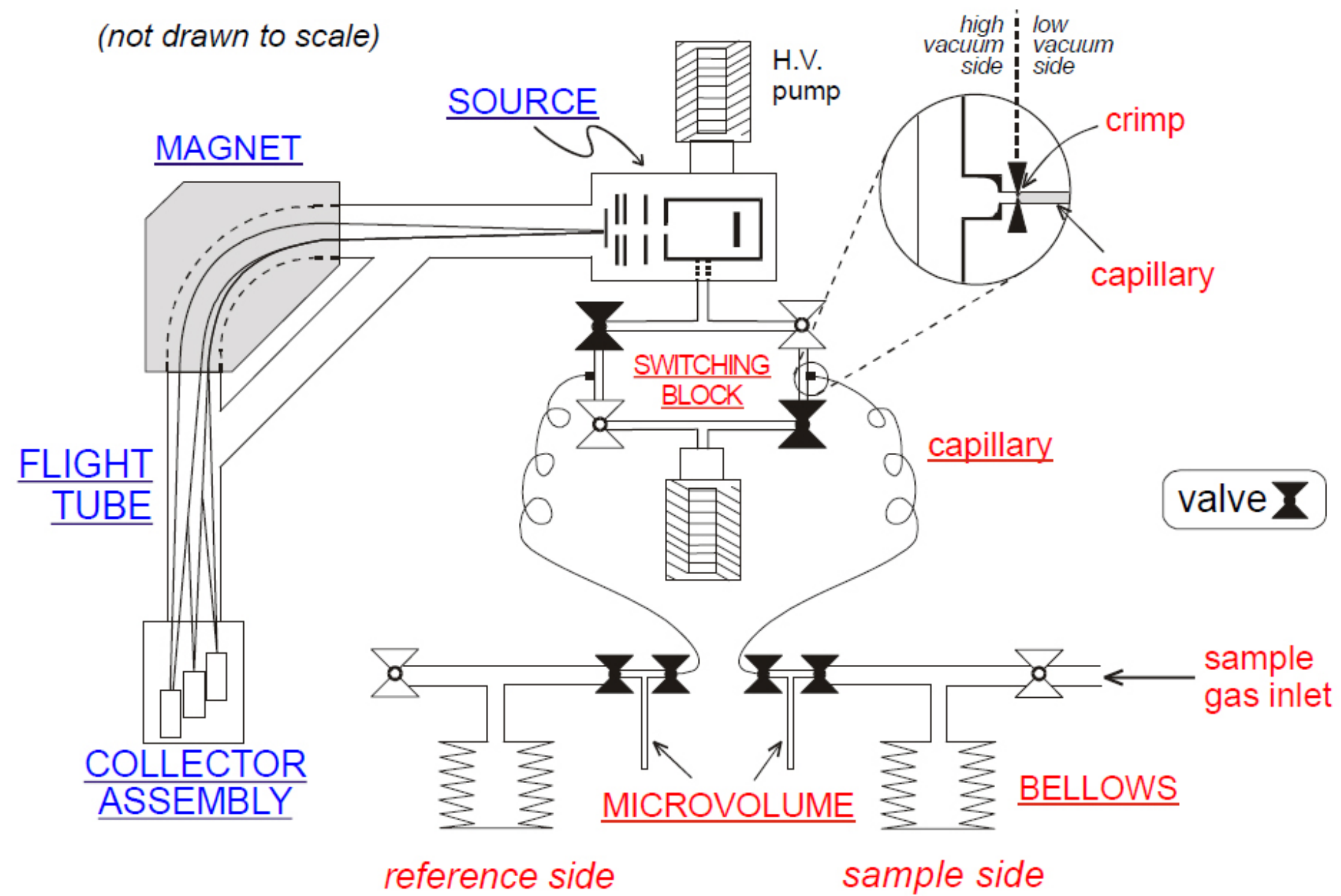


ΔE_2

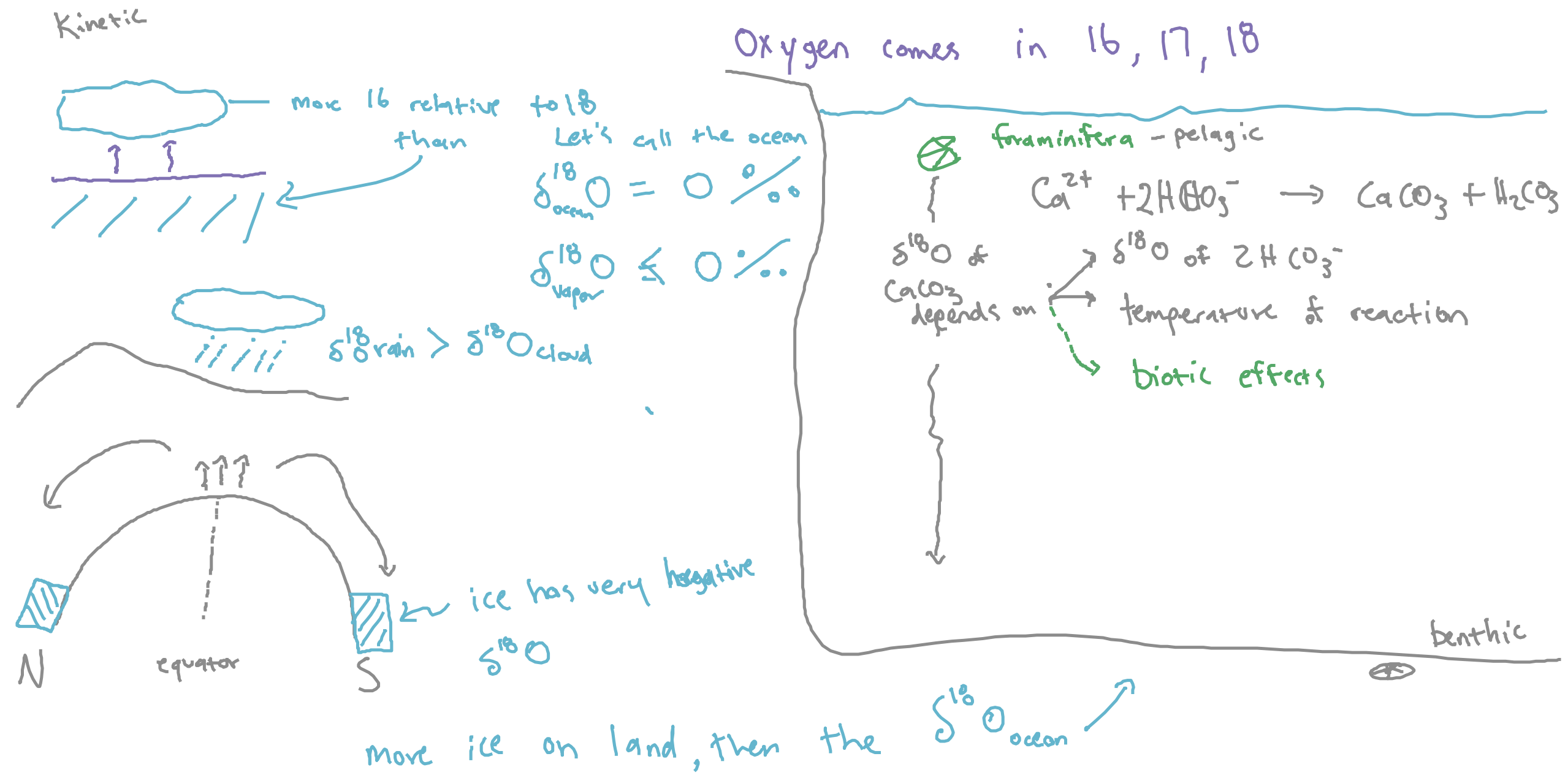
ΔE_1

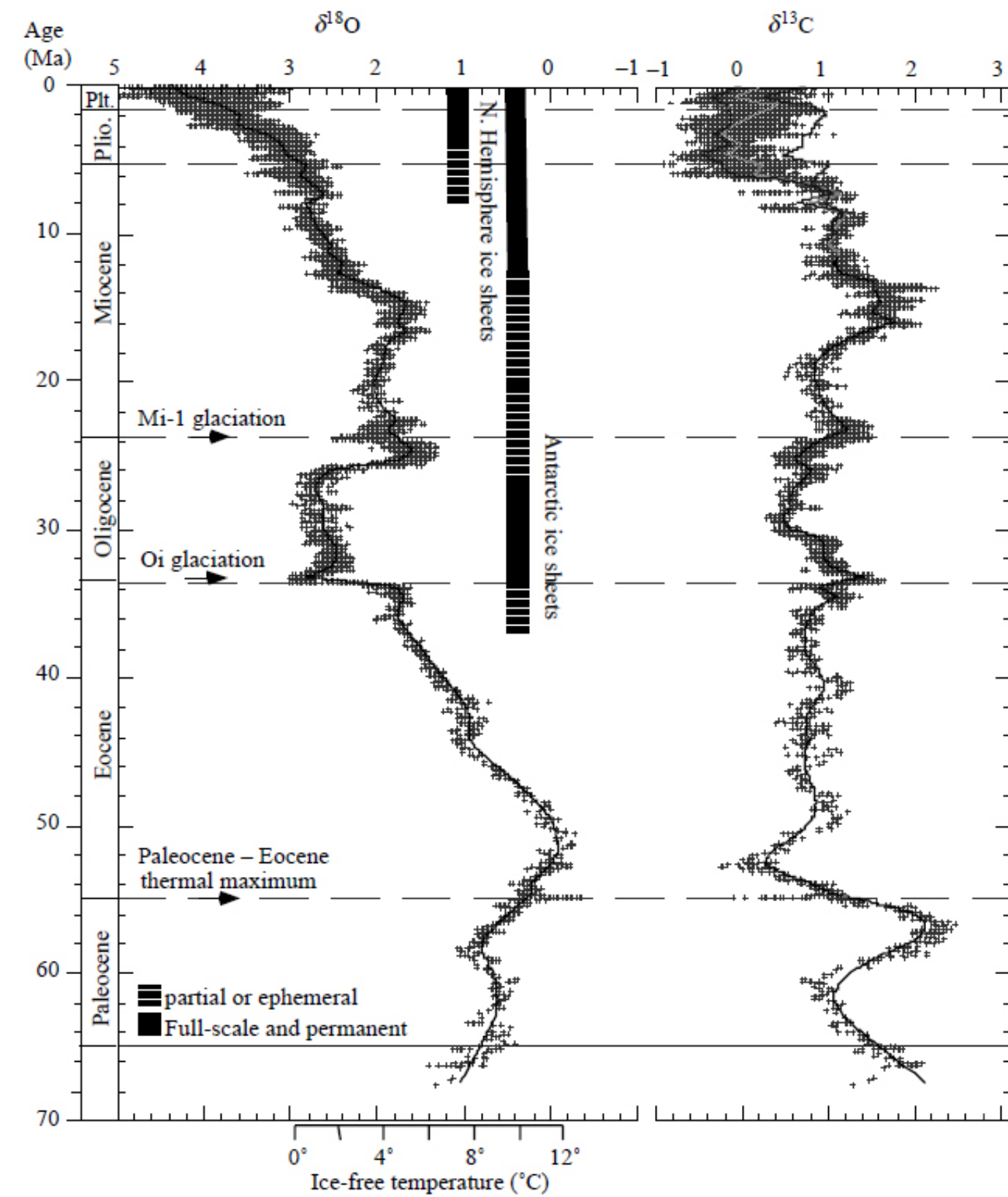
$-1(\text{H}_2\text{O} - \text{HDO})$





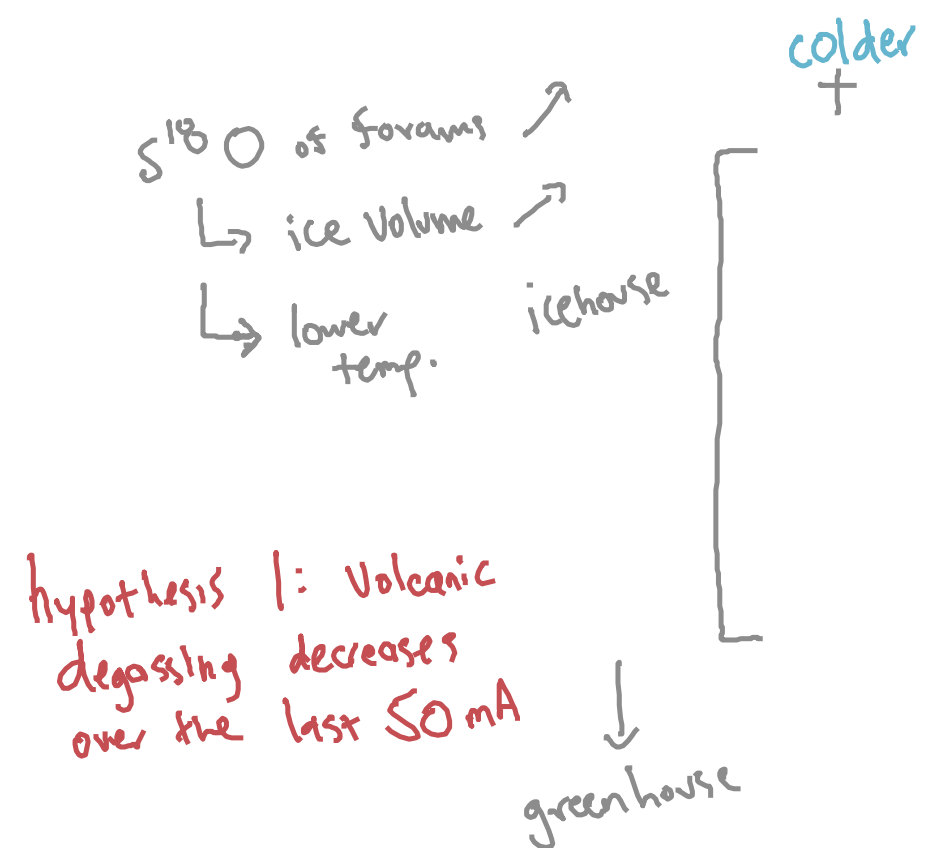
Stable isotopes: oxygen isotopes in the ocean



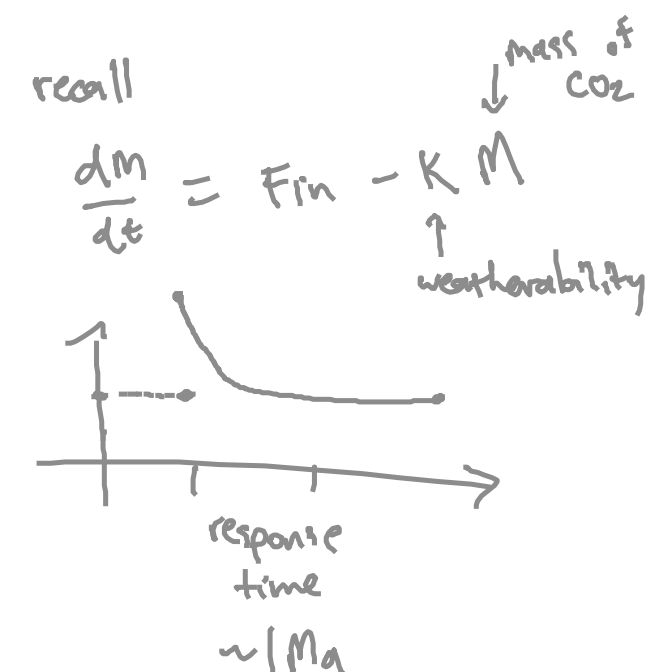


Compilation from Zachos *et al.*, 2001





warmer $\downarrow$ -
 hot

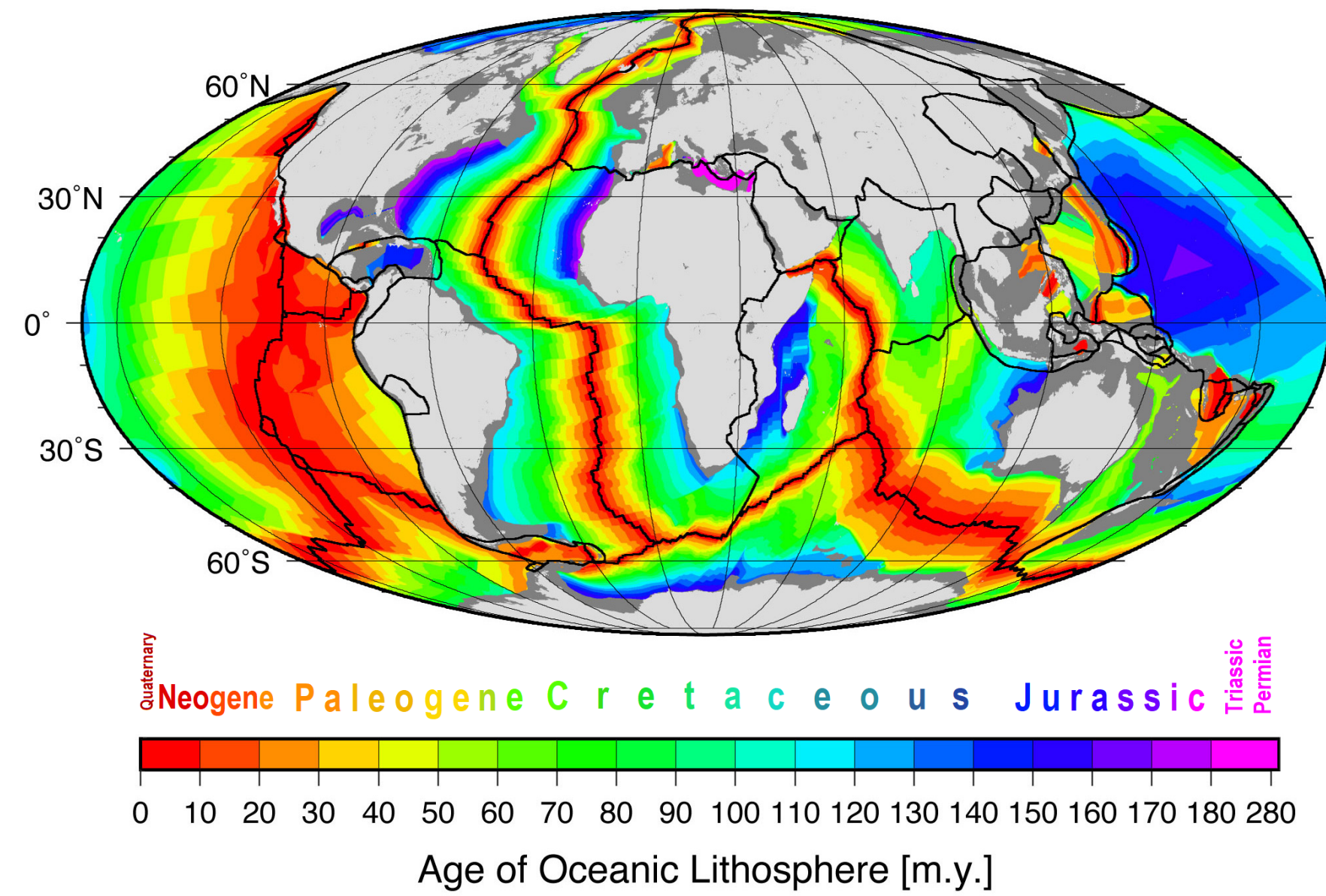


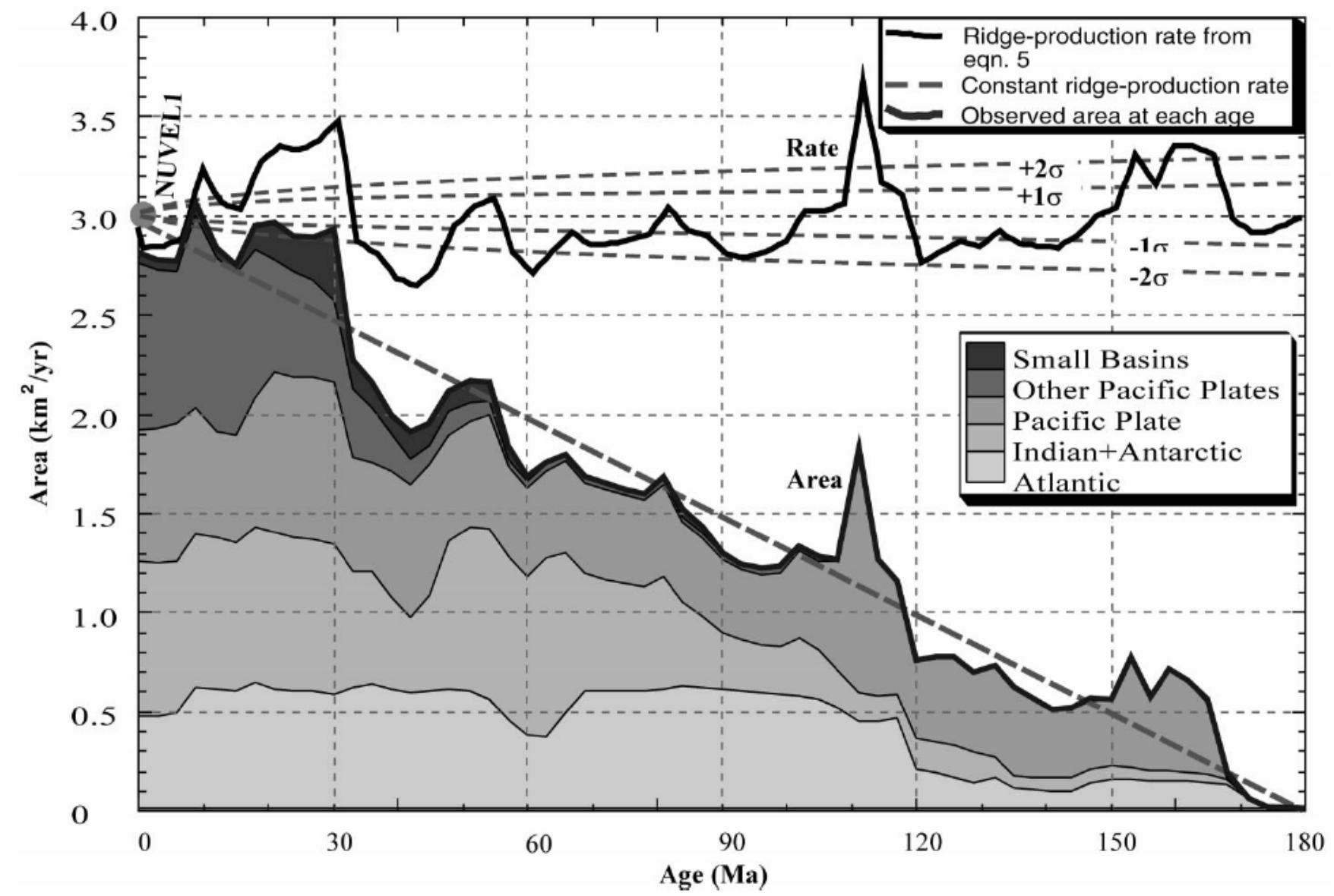
$$\frac{dm}{dt} = 0 \quad \text{at steady state}$$

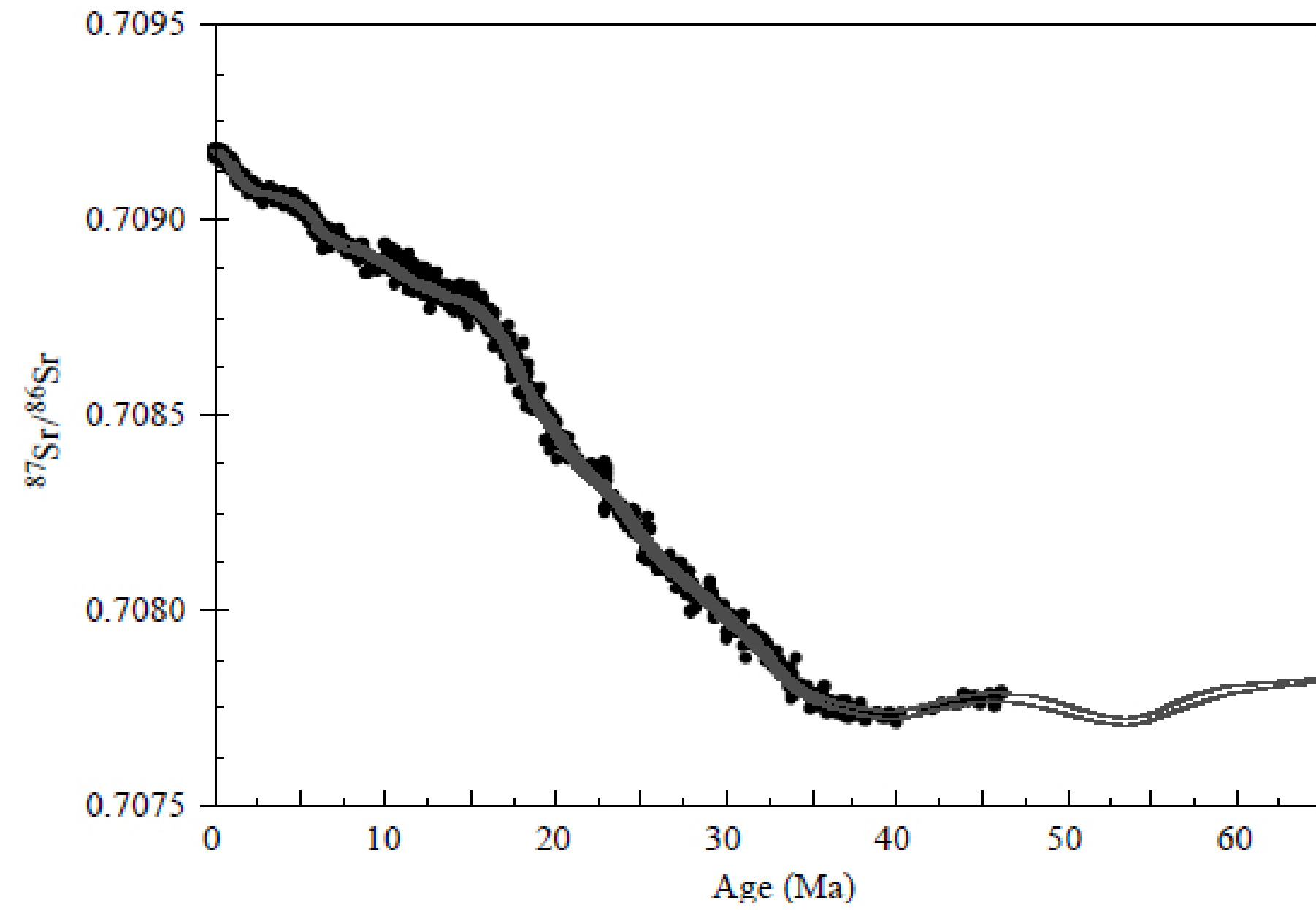
$$0 = F_{in} - K \cdot M$$

$$F_{in} = K M$$

$$\frac{F_{in}}{K} = M$$

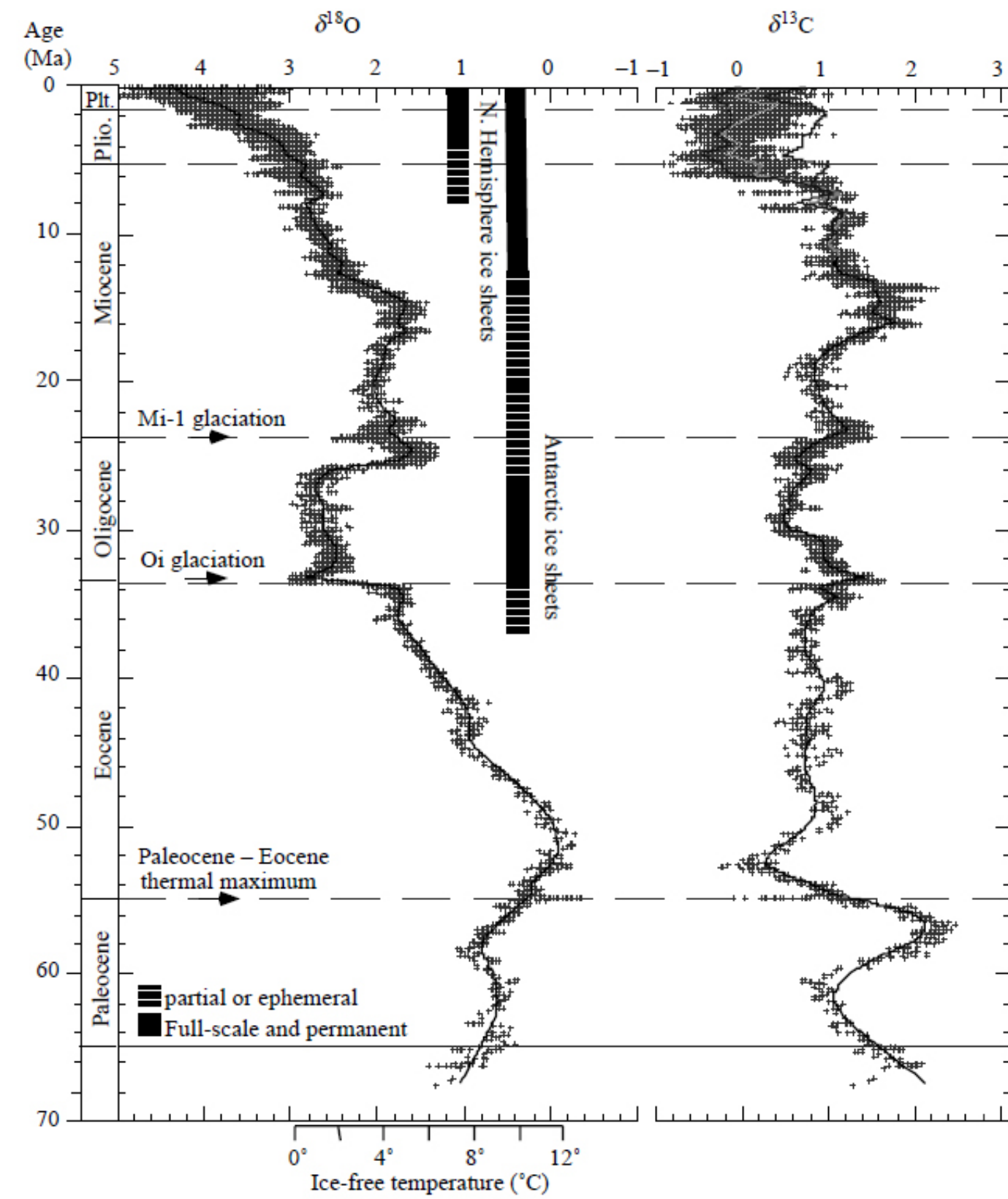






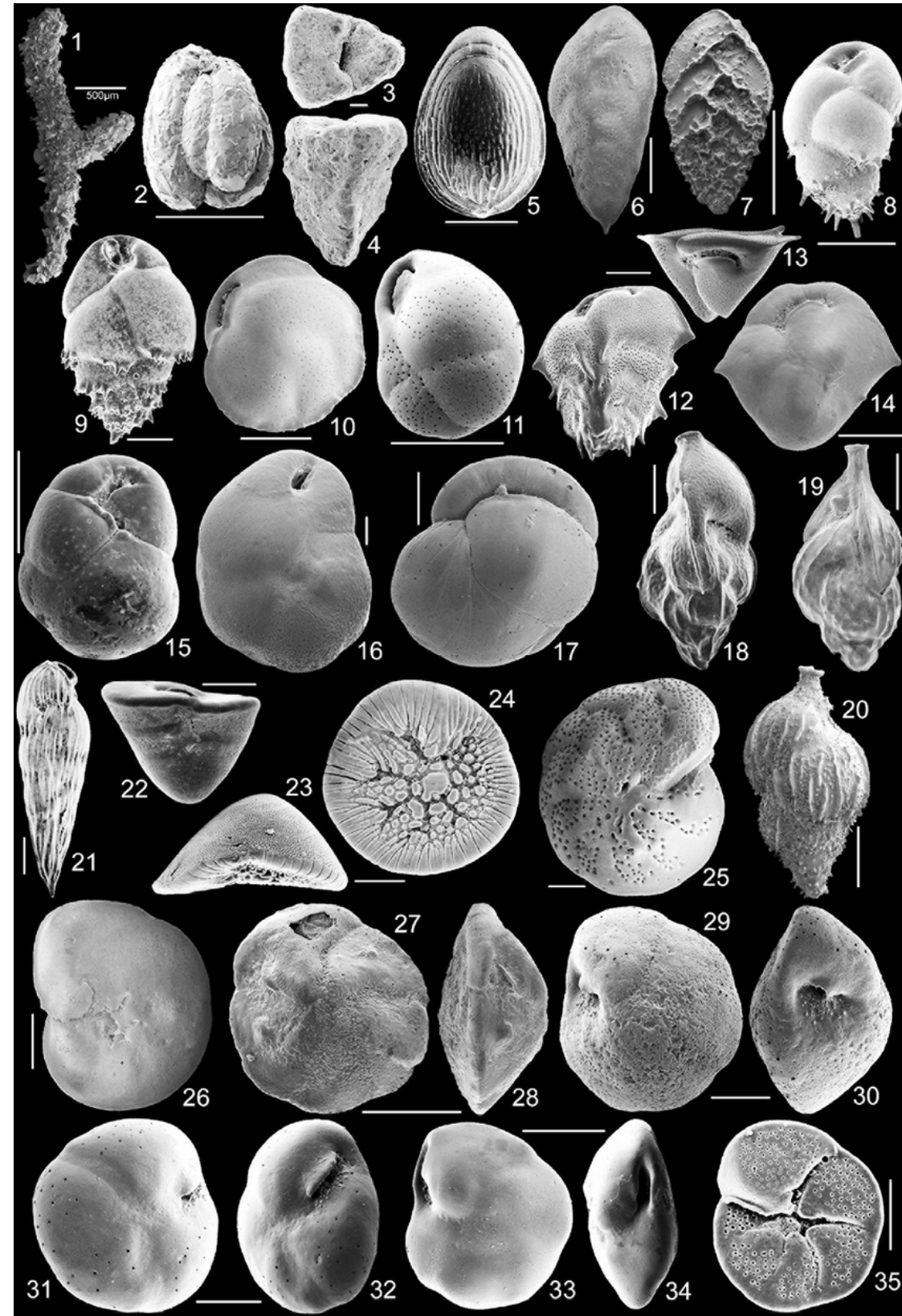
Compilation from Ravizza and Zachos, 2003

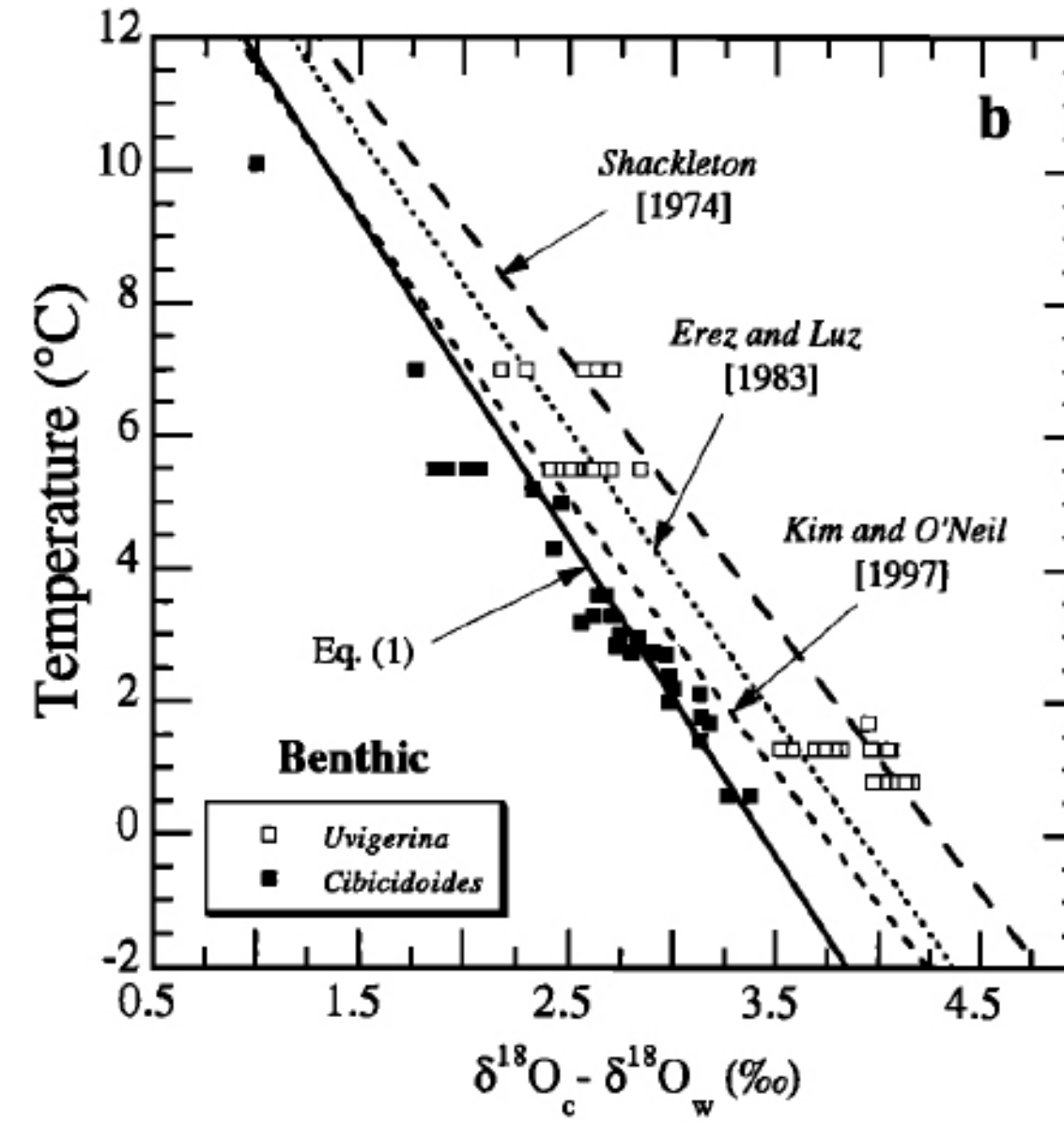
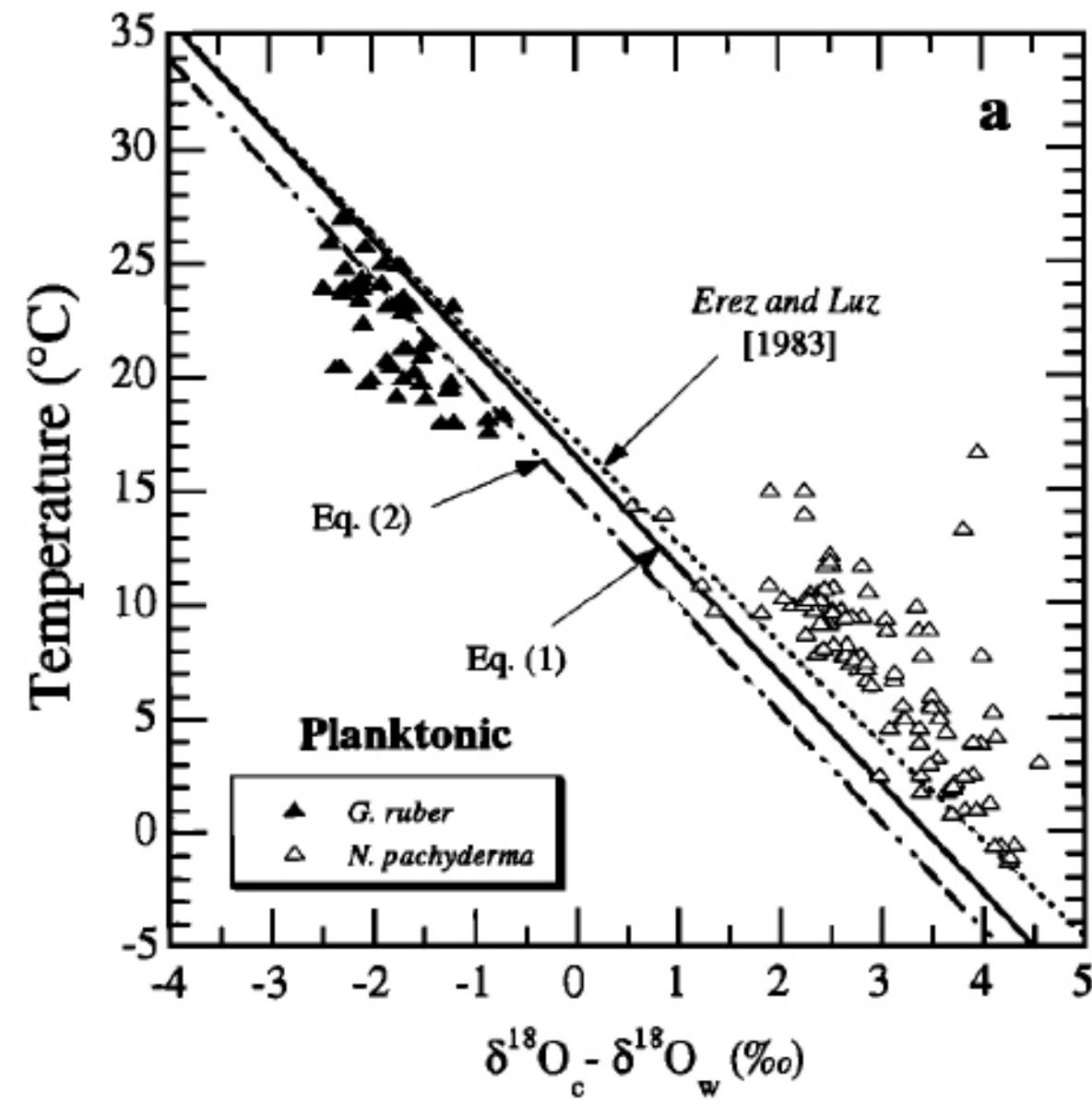




Compilation from Zachos *et al.*, 2001

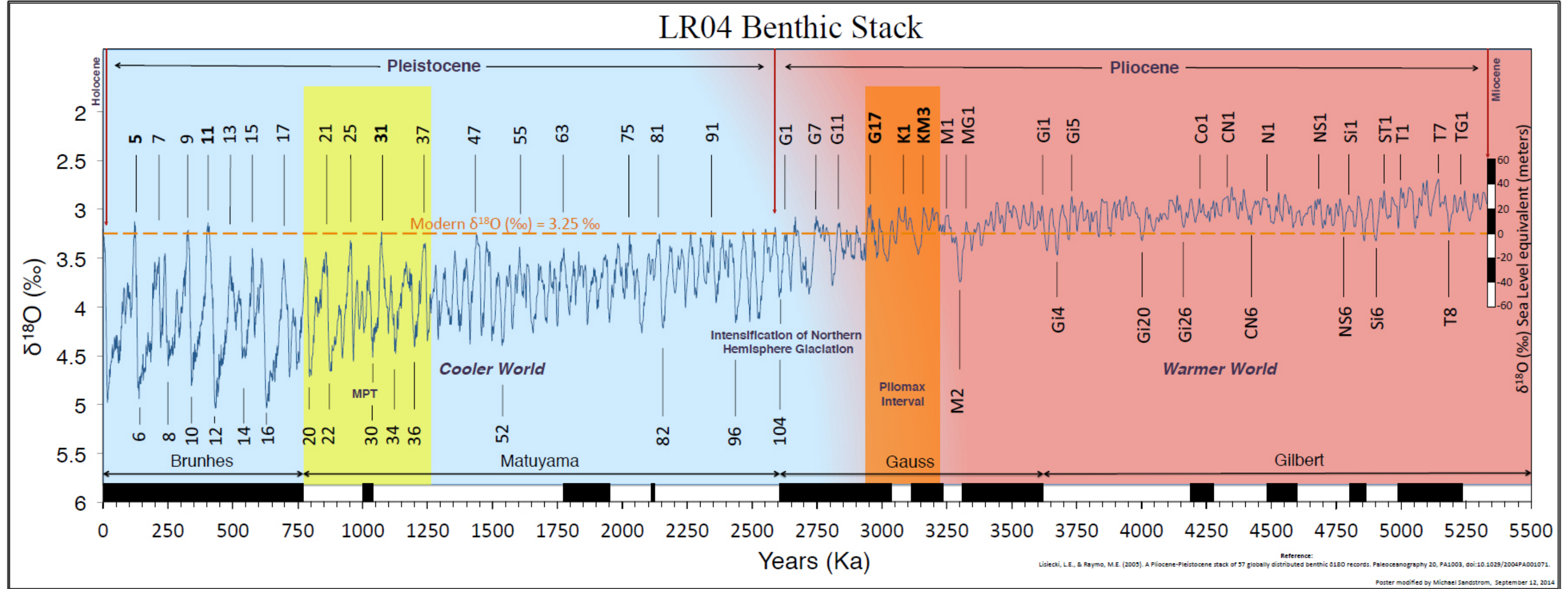




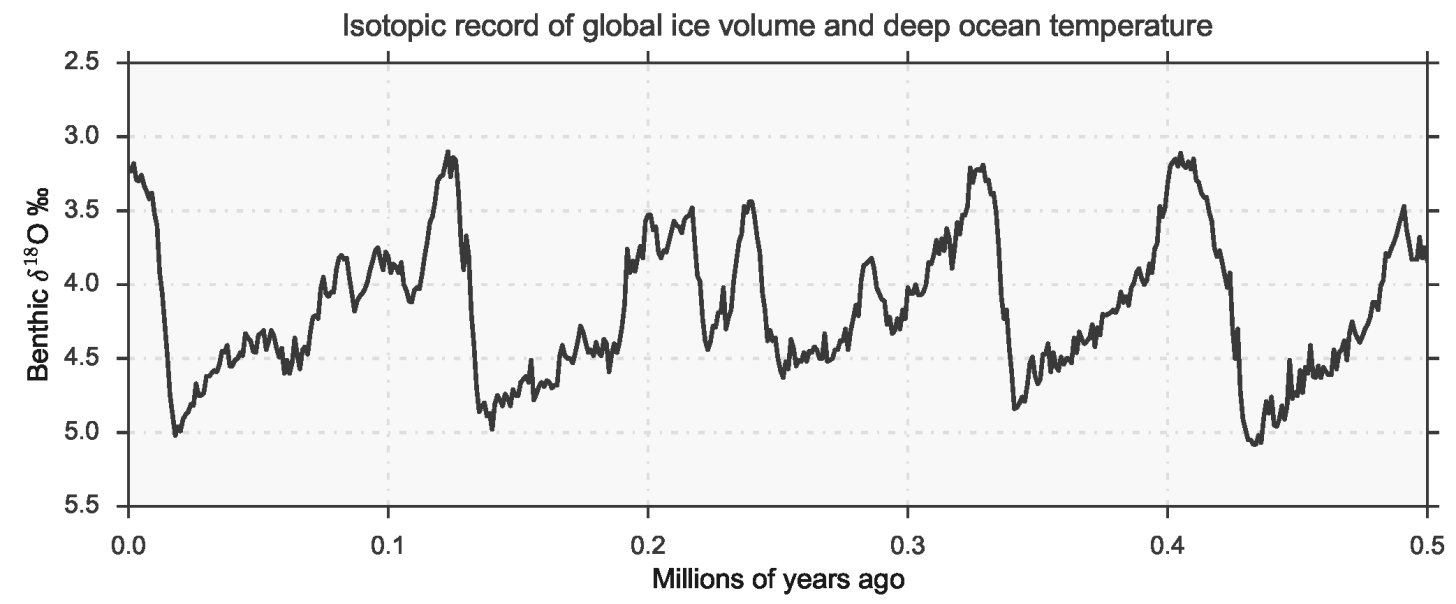


from Bemis et al., 1998





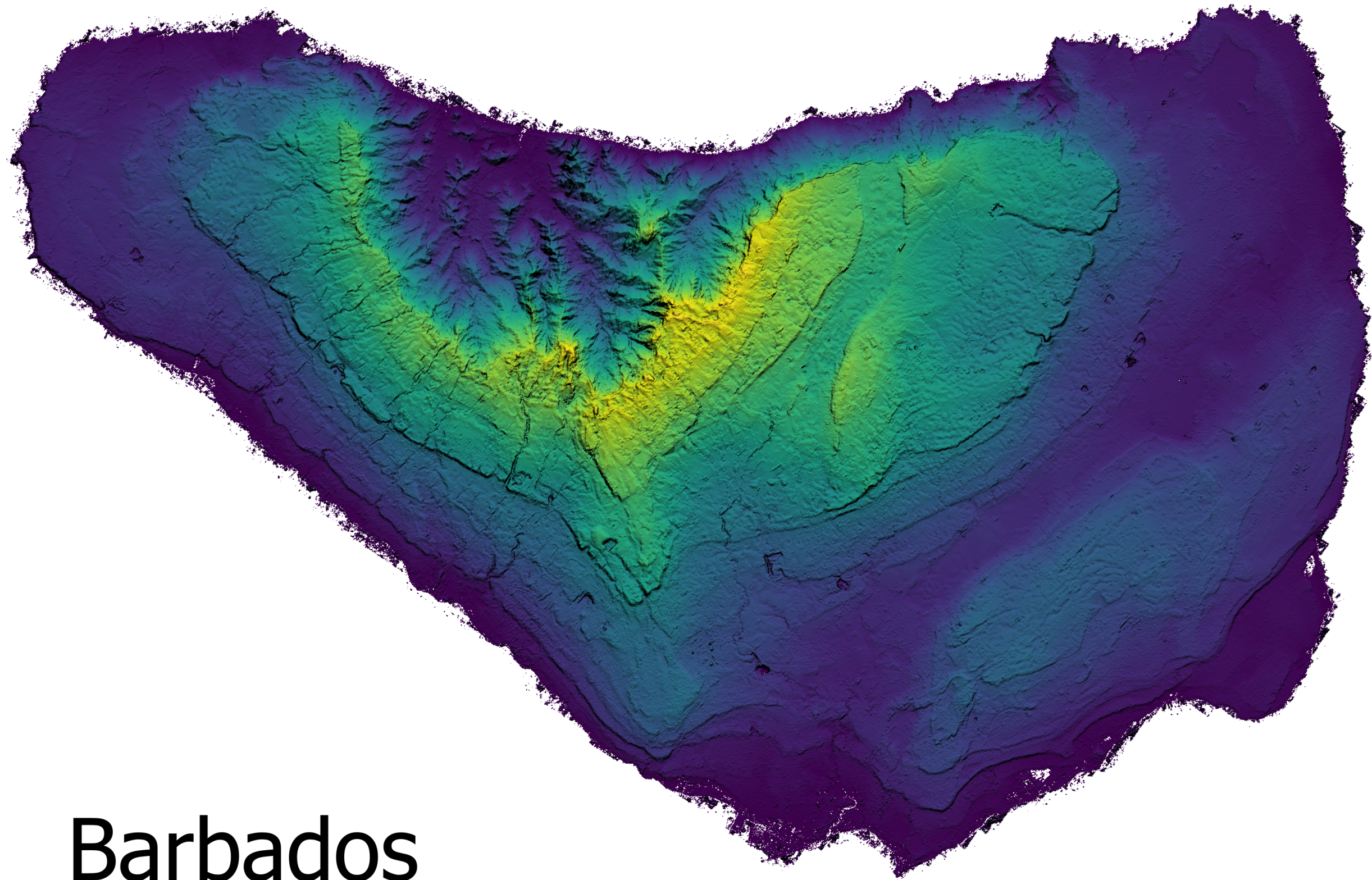
from Lisiecki and Raymo, 2004





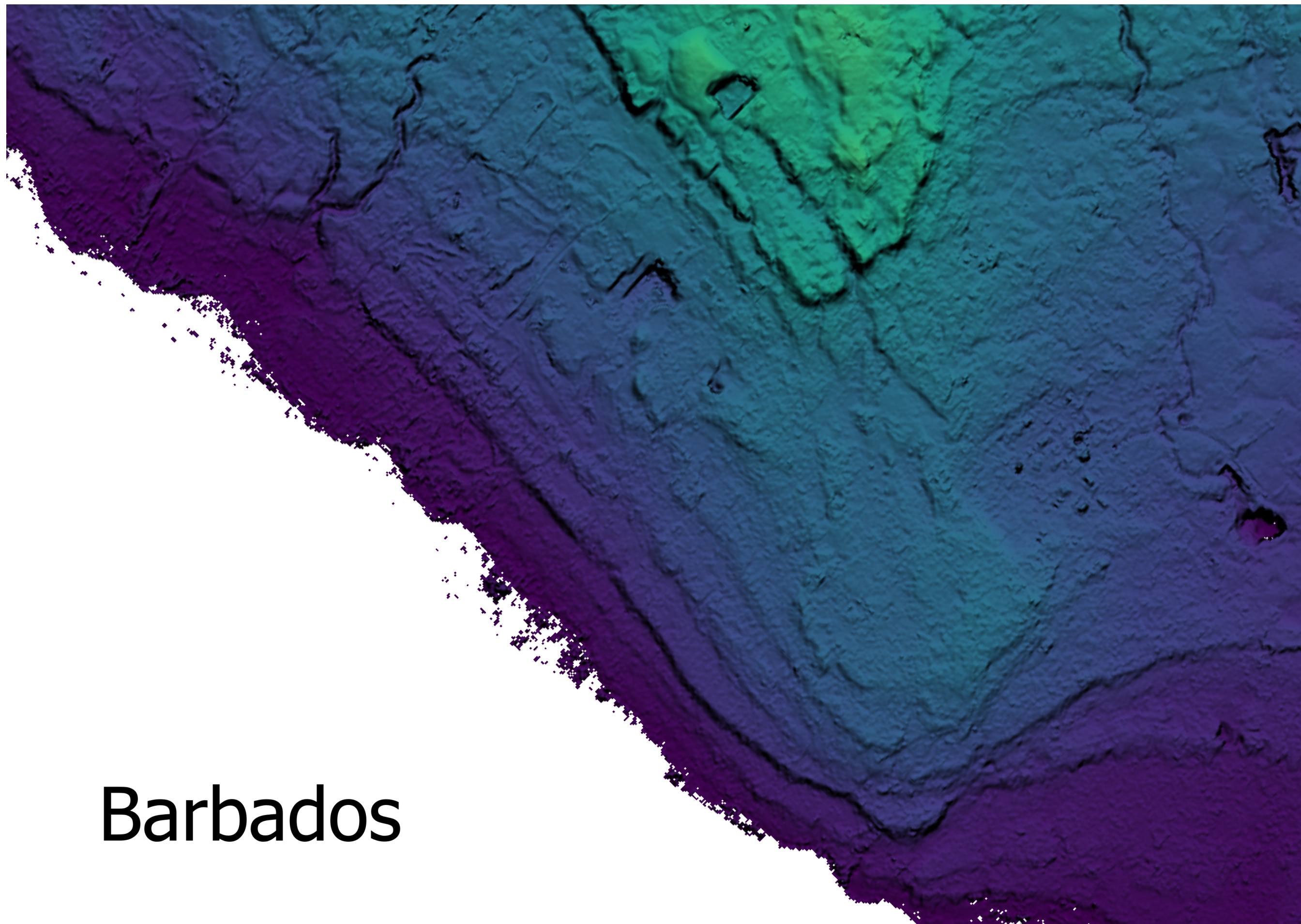
Barbados





Barbados





Barbados





